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Calculation of CO₂ column heights in depleted gas fields from known pre-production gas column heights

M.Naylor, M.Wilkinson and R.S.Haszeldine
School of GeoSciences, University of Edinburgh, EH9 3JW.

Corresponding author: Mark Naylor, email: mark.naylor@ed.ac.uk

Abstract
Depleted gas fields have been identified as potential targets for CO₂ storage. In order to maximise storage capacity, a target field must be deep enough to ensure that the CO₂ is in a dense phase (either liquid or supercritical). Accurate assessment of the storage capacity also requires an estimation of the amount of CO₂ that can be safely stored beneath the reservoir seal which can be estimated in several ways. In this paper we develop a methodology to convert known pre-production gas column heights into CO₂ column heights in order to estimate storage capacities. Several authors have correctly identified that the differences in interfacial tension and wettability act to reduce the threshold capillary entry pressure for CO₂ compared to natural gas, consequently reducing column height estimates. However, under reservoir conditions the density of CO₂ is substantially higher than natural gas so the buoyancy force on the seal for a fixed column height is much lower for dense phase CO₂ increasing column height estimates; we investigate the effects of this trade off on storage estimates and apply it to a typical dataset, in this case the UK North Sea.

Keywords: Carbon dioxide storage, capacity, gas fields, column height
1 Introduction

Depleted gas fields are good contenders for engineered CO₂ storage, having both proven seals and well characterised geology. Assessment of the suitability of a field for CO₂ storage requires the estimation of storage capacity. The most simplistic approach assumes volume-for-volume replacement, with a discount factor for water invasion into the storage zone [S Bachu and J Shaw, 2003].

The physical properties of CO₂ differ from those of hydrocarbon gas, so that there is the possibility that capillary seals which are secure for hydrocarbons will not be secure for CO₂. A number of authors have highlighted that the differences in interfacial tension (IFT) and wettability between CO₂ and natural gas act to reduce the threshold capillary entry pressure for CO₂ compared to gas, reducing storage estimates [e.g. P Chiquet et al., 2007a; P Chiquet et al., 2007b]. However, for cases with good hydraulic connectivity to the aquifer, the full assessment of the storage capacity beneath a capillary seal also requires knowledge of the buoyancy drive exerted on the seal by the stored fluid. Since the density of dense phase CO₂ is substantially greater than that of natural gas under reservoir conditions, a column height of CO₂ exerts a lower buoyancy drive on the seal than the same column height of natural gas. Thus, the phase behaviour of CO₂ counteracts the reduction in capillary entry pressure. This balance between entry pressures and buoyancy, and the conversion of gas column heights to CO₂ column heights is the topic of this paper.

Our approach is to take the known, pre-production column height of natural gas within a reservoir and use the known differences in material properties between the original gas and the stored CO₂ to convert the pre-production natural gas column height to a safe CO₂ column height. The advantage of this technique is that it does not require knowledge of intrinsic properties of the seal, such as the effective (maximum) pore throat radius, which are generally unknown and have very large uncertainties. It requires that the drive on production was primarily hydraulic so that we can assume the force on the seal due to the presence of CO₂ can be expressed as buoyancy derived from displacing formation water. Our terminology is hence as follows:

- Pre-production column height – the column height corresponding to the reserves of gas in the trap prior to extraction which may be capillary limited or may be limited by a spill-point or by gas supply in the case of an under filled field.
• Maximal CO₂ column height – This is the upper bound on the CO₂ column height estimate and is calculated from the pre-production gas column height taking into account buoyancy and interfacial tension differences between natural gas and CO₂, both properties that are relatively well characterised. Thus, this estimate is purely a function of the material properties of CO₂ and natural gas. Where the natural gas field was capillary limited, the calculated maximal CO₂ column height corresponds to the point where the buoyancy pressure of the CO₂ equals (actually is infinitesimally less than) the entry pressure of the seal such that the seal would leak by capillary failure.

• Safe CO₂ column height - the maximal column height neglecting the mineralogical dependent effects of contact angles on the column height estimate. Depending upon the mineralogy of the seal, the inclusion of contact angles will reduce the column height estimate. This term has experimental, upscaling and theoretical uncertainties.

• Column height conversion factor ($\phi$) – the ratio of the pre-production natural gas column height to the CO₂ column height. In this paper a methodology is developed to calculate this value from typical hydrocarbon field data. Conversion factors of less than 1 indicate a reduction of the CO₂ column height compared to the gas column height. This term can also be prefixed with safe or maximal to describe whether contact angles are taken or are not taken into account respectively.

The structure of this paper is to first develop the theory behind the calculation of CO₂ column heights from gas column heights identifying a conversion factor, next we investigate the controls on that conversion factor, then a discussion informed by typical data and finished off with a discussion of some secondary, related effects.

2 Column height conversion factor - capillary model

Across a curved interface between two immiscible fluids a discontinuity in fluid pressure occurs as a consequence of the interfacial tensions at the interface. The capillary pressure, $P_c$, is the difference in pressure between a non-wetting phase, $p_{nw}$, and a wetting phase, $p_w$. 
\[ P_c = p_{nw} - p_w \] . (1)

The seal is usually a very tight porous material, typically imbibed with water, beneath which the hydrocarbon or CO2 sits in a more porous and permeable reservoir rock. The threshold pressure, \( P_{th} \), marks the point above which the non wetting phase (here, the hydrocarbon gas or CO2) displaces the (typically) water phase that imbibes the seal; in terms of basic physics it is the value at which the pressure gradient in both phases becomes continuous. The pressure where a phase first starts to enter a caprock is referred to as the entry pressure (limited by the largest pore throat at the reservoir-caprock interface) and the pressure where a phase can travel through the entire thickness of the caprock is the breakthrough pressure and is generally slightly larger than the entry pressure (limited by the largest pore throat in the least resistance pathway through the caprock). We assume the capillary threshold pressure to be the limiting factor controlling the amount of stored natural gas or CO2 in the systems considered here. Other first order controls of a column height may include being filled to a structural spill point, formation reworking or that the trap is under-filled because of a finite supply of hydrocarbon charge. The threshold capillary pressure, \( P_{c,th} \), is controlled by the surface tension between the two fluids (\( \gamma \)), the contact angle in the wetting phase (i.e. water) with the caprock (\( \theta_{seal} \)) and reservoir (\( \theta_{res} \)) as well as the geometrical properties of the pore network in the seal and reservoir (described by \( r_p \) and \( r_t \) or combined in an effective pore radius, \( R \)),

\[ P_{c,th} = \gamma \left( \frac{\cos \theta_{seal}}{r_t} - \frac{\cos \theta_{res}}{r_p} \right) \approx \gamma \cos \theta \frac{r}{R} \] . (2)

where \( r_p \) and \( r_t \) are the pore and throat radii respectively. The contact angle arises as a surface chemistry effect and is therefore a function of the rock as well as the two phases; it is close to zero when the substrate is strongly water-wet.

It follows that the threshold pressure, or displacement pressure, \( P_{th} \), in the non-wetting phase is equal to \( P_w + P_{c,th} \), where \( P_w \) is the pressure in the water (or brine) phase, often equal to the hydrostatic pressure.

Since the limiting pore and throat radii are impossible to measure directly, a common way to proceed is to estimate the pore throat radii using a porosity-permeability relationship [e.g. R R Berg, 1975; S Bloch, 1991; M R Rezaee et al.,]
2006]. For example, an effective grain size, $D_e$ can be calculated from core analysis using an empirical permeability equation such as $D_e = \left(1.89k n^{-5.1}\right)^{0.5} \text{[cm]}$, where $k$ is the permeability $[\text{mD}]$ and $n$ is the porosity $[\text{percent}]$ [R.R Berg, 1975]. The pore and throat sizes can then be estimated using $D_e$ and assuming a theoretical packing geometry. In a rhombohedral packing with perfect spheres $r_p = 0.5 \times 0.414D_e$ and $r_t = 0.5 \times 0.154D_e$. Whilst this may practically be the only way forward for an exploration scenario, it is susceptible to large uncertainties in upscaling from sparse core samples to the whole reservoir and the predictive capability of any such empirical relationship is strongly limited by the calibration data.

The buoyancy pressure exerted on the seal due to a column of height, $h$ of less dense fluid under hydrostatic conditions is simply given by,

$$P_b = \Delta \rho gh$$

Where $\Delta \rho$ is the absolute density difference and $g$ the acceleration due to gravity.

Equating the pressures in Eqns (2) and (3), the capillary limited column heights for the gas/water can be expressed as,

$$\gamma_{\text{gas/water}} \frac{\cos \theta_{\text{gas/water}}}{R} = \Delta \rho_{\text{gas/water}} g h_{\text{gas/water}}$$

We can construct the analogous equation for the CO$_2$/water systems as for the gas/water system in (4),

$$\gamma_{\text{CO}_2/\text{water}} \frac{\cos \theta_{\text{CO}_2/\text{water}}}{R} = \Delta \rho_{\text{CO}_2/\text{water}} g h_{\text{CO}_2/\text{water}}$$

The geological factor in equations (4) and (5) is the pore geometry, expressed in the term $R$. This is an unknown factor in almost all storage settings, but can now be simply removed from further consideration. Utilising the fact that both fluids interact with the same pore geometry, we can divide (4) and (5) to remove this term. This gives us an expression for the CO$_2$ column height as a function of the measured gas column height and physical/chemical properties of the fluid-rock systems.

$$h_{\text{CO}_2/\text{water}} = h_{\text{gas/water}} \frac{\Delta \rho_{\text{gas/water}} \cos \theta_{\text{CO}_2/\text{water}} \gamma_{\text{CO}_2/\text{water}}}{\Delta \rho_{\text{CO}_2/\text{water}} \cos \theta_{\text{gas/water}} \gamma_{\text{gas/water}}}$$

This gives the conversion ratio for gas/water column heights to CO$_2$/water column heights as,
Thus, the conversion factor is a combination of the ratios of the density differences, contact angles and interfacial tensions for the gas/water – CO2/water systems. We discuss each of these key ratios in turn.

2.1 Interfacial Tension (IFT) ratio

At the reservoir/seal boundary, the IFT between the wetting and non-wetting fluids linearly increases the capillary entry pressure that must be overcome in order for the wetting fluid to invade the seal. The IFT for hydrocarbon/water systems has been used extensively for many years in the industry and has been extensively characterised. We use methane as an example here because it is at the upper limit of hydrocarbon IFTs and is thus provides a worst case scenario for the effects of this term. The IFT for CO2/water systems has not been investigated as extensively and consensus regarding its behaviour is only just starting to emerge [P Chiquet et al., 2007b; Q Y Ren et al., 2000]. For both methane-water and CO2-water, the IFTs increase rapidly at low pressures but become increasingly stable with increasing pressure (Figure 1). As an approximation, we can take the ratio at 10MPa as representative of typical reservoir depths where \( \gamma_{\text{CO}_2/\text{water}} \approx 25 \ \text{mN/m} \) [P Chiquet et al., 2007b] and \( \gamma_{\text{CH}_4/\text{water}} \approx 50 \ \text{mN/m} \) [A Danesh, 2007; Q Y Ren et al., 2000]. This gives an IFT ratio \( \approx 0.5 \).

The effect of the IFT ratio term is to lower the capillary entry pressure for pure CO2/water systems by up to 50 % compared to the pure gas/water system [Z W Li et al., 2006]. Thus the effect of this term is to decrease the maximum column height of CO2 relative to the methane gas column height.

The methane-water system that existed prior to CO2 injection may have contained significant CO2, and this must be accounted for in calculating the change in IFT due to CO2 injection. It has been experimentally demonstrated that in mixtures of CO2 and methane, higher proportions of CO2 reduce the IFT [Q Y Ren et al., 2000], consistent with the CO2 IFT being lower than that of methane. However, Chiquet et al [2007b] demonstrated that previous analysis of the CO2/water IFT values was biased towards lower values as previous workers had assumed an incorrect density for the CO2 saturated water phase. Figure 1 shows a compilation of data for the (CO2+CH4)/water system. We choose to linearly interpolate between the pure
methane/water and CO2/water IFT values, consistent with this observation, since there is not sufficient data to do better.

Thus we suggest a correction to the ratio that accounts for known amounts of CO2 in the original gas. We define the mol% of CO2 in the natural gas as $x_{CO2}$ and CH4 as $x_{CH4}$. Using this we estimate the IFT of the natural gas / water system,

$$
\gamma_{gas/water} \approx x_{CO2} \gamma_{CO2/water} + x_{CH4} \gamma_{CH4/water} \approx x_{CO2} \gamma_{CO2/water} + (1 - x_{CO2}) \gamma_{CH4/water} \quad (8)
$$

Therefore, the ratio of the IFTs is given by

$$
\frac{\gamma_{CO2/water}}{\gamma_{gas/water}} = \frac{\gamma_{CO2/water}}{x_{CO2} \gamma_{CO2/water} + (1 - x_{CO2}) \gamma_{CH4/water}} = \frac{1}{x_{CO2} + (1 - x_{CO2}) \frac{\gamma_{CH4/water}}{\gamma_{CO2/water}}} \quad (9)
$$

The ranges of this ratio are from 0.5 if the natural gas was pure methane (i.e. $x_{CO2} = 0$) to 1 in the (unrealistic for our purposes) end member that the natural gas was initially pure CO2 (i.e. $x_{CO2} = 1$).

### 2.2 Density difference ratios

The density difference ratio describes the relative difference in the buoyancy drive between the CO2/water and natural gas/water systems. Since buoyancy in the subsurface is generally derived from displacing formation water, this approach is appropriate for systems with good hydraulic connectivity to the aquifer. This buoyancy force provides the drive that must overcome the capillary entry pressure if the non-wetting fluid is to invade the caprock. The greater the buoyancy contrast, the stronger the drive.

We demonstrate typical subsurface buoyancy depth profiles using two end-member subsurface scenarios corresponding to different heat flow regimes and subaerial and submarine conditions (Figure 2).

We calculate pressure $P$, temperature $T$ and salinity $w_s$ as a function of depth from defined surface pressure, temperature and salinity values and corresponding geothermal, hydrostatic gradients and salinity gradients. Salinity tends to increase with depth from sea water concentrations offshore and freshwater concentrations onshore [Moss, B. et al., 2003]; the salinity gradient is highest when salt layers are
present in the subsurface (e.g. Southern North Sea). These profiles are then used to calculate how the phase properties of CO₂, natural gas and water vary with depth. We define the depth, \( z \), to be the distance beneath the surface, which corresponds to either the topographic elevation or the seafloor. In the submarine case, the surface pressure also includes the pressure exerted by the water above the seabed.

These calculations are typically conditioned to initial reservoir conditions and neglect coupled processes associated with the injection of CO₂ which requires a full reservoir simulation. They are useful for the rapid initial assessment of a wide range of storage scenarios and should be used in conjunction with geological and hydrodynamic information (such as the water drive) to identify which coupled processes will be important for each specific target. Thus this methodology provides a technique for the preliminary site assessment prior to a more complete analysis using reservoir simulations.

We use standard calculations (See appendices) to determine the densities of the fresh (where \( w_s = 0 \)) and saline formation water, \( \rho_{sw}(P,T,w_s) \), the produced gas (assuming a specific gravity of 0.65 and a compressibility factor of 0.85), \( \rho_{gas}(P,T,M_{gas}) \) and the injected CO₂, \( \rho_{CO2}(P,T) \). The form of the density profiles all trade off between increases in pressure that tend to increase densities and increases in temperature which tend to decrease densities. We assume that the density will be fairly constant in the column which is reasonable when CO₂ persists in the dense phase or for relatively short column heights; for a full treatment on real data this assumption can be relaxed by integrating over an actual column. We neglect the effects of dissolution of CO₂ in the formation water as the small increase in saturate brine density is second order to the main effects described here.

The CO₂ vapour pressure curves are plotted with pressure-temperature pairs through the subsurface in Figure 2(a,b). In Case 2, where the pressure-temperature path crosses the vapour pressure curve, a phase transition from the gas to liquid phases is predicted at depths less than \( \sim 300 \)m below the seabed (the depth corresponding to the critical pressure for CO₂); this is higher than would be expected for a sub-aerial case because of the higher surface pressure which is site specific because of the dependency upon the water depth. For a range of realistic parameterisations, the density in the supercritical phase actually increases with shallower depths, acting to decreasing the buoyancy drive. In contrast, in Case 1
which corresponds to higher heat flow and lower surface pressure (sub-aerial) the pressure-temperature path does not intersect the vapour pressure curve and the predicted CO₂ densities correspond to a smooth trajectory from the supercritical density to gas densities over a much wider depth range always increasing the buoyancy drive.

In contrast to the CO₂ density profiles, the natural gas and water density profiles (Figure 2i,j) are better behaved as they are in more stable regions of their respective phase spaces. The formation water density is considerably less variable with typical values in the range 960 – 1030 kg/m³ for fresh water and upto 1200 kg/m³ for saline water with 25 % weight percent of salt dissolved.

Using these density profiles we calculate the density differences (Figure 2g,h) and density difference ratios (Figure 2i,j) which is the key controlling ratio that characterises the relative buoyancy drive

\[
\frac{\Delta \rho_{\text{gas/water}}}{\Delta \rho_{\text{CO2/water}}} = \frac{\rho_{\text{water}} - \rho_{\text{gas}}}{\rho_{\text{water}} - \rho_{\text{CO2}}}
\]

Whilst we chose end-members here, it should be noted that relatively subtle changes in the thermal and pressure regimes propagate through to a significant differences in the density difference profiles (Figure 2g,h), and corresponding predictions of the buoyancy drive. In the subsurface, the density of CO₂ is always greater than that of typical natural gas compositions. Since \( \Delta \rho_{\text{CO2/water}} \) is lower than \( \Delta \rho_{\text{gas/water}} \); the density difference term in the conversion factor increases the potential CO₂ column height. The density difference ratio is always greater than \( \sim 2 \) when CO₂ is in the dense phase and greatest when the pressure-temperature profile produces a phase change. The density of liquid phase CO₂ is nearly always higher than that in the supercritical phase, so we expect the safe CO₂ column height to be greater for subsurface conditions that encourage a phase change in the depth profile, i.e. cooler (lower surface temp and geothermal gradients) and submarine (higher surface pressure).

Since the typical minimum for the IFT ratio is 0.5, the buoyancy term should always at least counteract the decrease in column height due to the IFT effect for regions where CO₂ is in the dense phase.

Understanding the variation in CO₂ density with depth is key to determining the conversion factor and the degree to which the decreased buoyancy compensates
for the lower IFT in the CO2/water system. Factors which increase the likelihood of being in a phase change regime are; lower geothermal gradients, lower surface temperatures and higher surface pressures, i.e. moving the well head pressure and temperature towards the top left in Figure 2 (a,b). Factors which decrease the likelihood of being in a phase change regime are; higher geothermal gradients, higher surface temperatures and lower surface pressures. The density of CO2 at depths corresponding to pressures and temperatures near either the vapour pressure curve or the critical point will be subject to very high uncertainties and propagate through to high uncertainties in the conversion factor.

2.3 Contact angle ratio

The contact angle is the angle at which a liquid/vapour interface (here either hydrocarbon/water or CO2/water) meets the solid surface (the surrounding rock). Contact angles arise from surface chemistry effects. This effect cannot be easily eliminated because the interaction of natural gas with a specific rock mineralogy does not necessarily act as a proxy for how CO2 will behave; scaling from mineral scale experiments to core scale to reservoir scale is difficult. We need to know the contact angles for both the CO2/water and gas/water systems for a given mineralogy in order to make the best estimate. CO2 wettability is a complex story and a clear picture has not yet emerged as to the importance of wettability effects [Chiquet et al., 2007a; Hildenbrand et al., 2004; Li et al., 2005; Yang et al., 2008].

The quantity of interest is the ratio of the cosines of both contact angles, which is hard to constrain precisely, but will be $\frac{\cos \theta_{\text{CO2/water}}}{\cos \theta_{\text{gas/water}}} \sim 1$. Given an initial water wet gas/water system, it will be less than 1.

Since there is a range of uncertainty in the contact angle of the CO2/water system, we prefer to report a range of conservative (termed “safe”) and optimistic (termed “maximal”) values. The uncertainty in this term is significantly less than the uncertainty in the pore radius term $R$ which contained order of magnitude uncertainty.

In the presence of the hydrocarbon phase, many minerals will generally be water wet giving a contact angle of 0° giving a contribution to the denominator of the ratio of $\cos(\theta_{\text{gas/water}}) = \cos(0) = 1$. The use of this value provides the maximal CO2 column
height conversion factor. The presence of dense phase CO₂ has been shown to alter
the water-wettability of various organic materials present in the subsurface, such as
coal, resulting in an increase in the contact angle. Many seals are more-or-less
organic-rich mudrocks (e.g. 5-10% organic content for the Kimmeridge Clay [S
Brown, 1984]) so that the behaviour of this component of the rock is of potential
importance.

In contrast, laboratory studies of contact angles [P Chiquet et al., 2007a] backed
up by breakthrough studies [A Hildenbrand et al., 2004; S Li et al., 2005] suggest that
the presence of mica and quartz, minerals commonly present in shaley caprocks,
reduce the contact angle (cos \( \theta \) \approx 0.66, cos \( \theta \) \approx 0.85 respectively). Espinoza and
Santamarine [2010] look at contact angles in a range of systems; they show that for
the contact angles are relatively pressure independent on quartz (cos \( \theta \) \text{water}/CO₂ \approx 0.93
and cos \( \theta \) \text{brine}/CO₂ \approx 0.77) and calcite (cos \( \theta \) \text{water}/CO₂ \approx \cos \( \theta \) \text{brine}/CO₂ \approx 0.77). Since these
angles were measured on pure samples, and real rocks are composed of a range of
minerals, they too provide a conservative estimate for estimation of the safe CO₂
column height conversion factor. The scaling of contact angles from a single mineral
to multi-mineral reservoir is a non-trivial problem.

A CO₂ storage study for the Rousse depleted gas field in France [N. Tonnet et al.,
2010] has analysed slices of the calcite and quartz rich caprock substrate, which is
low in mica, and show it to remain water wet in the presence of CO₂.

A close look at the work by Chiquet et al. (2007a) shows that the water-
wettability of quartz is barely altered in the presence of dense phase CO₂, as opposed
to light phase CO₂ (see Fig. 8 in Chiquet et al., 2007a), whereas the contact angle
values obtained with mica indicate that mica is becoming less water-wet when the
CO₂ gets denser (i.e., pressure increases), even though there seems to be a strong
dispersion in the contact angle values (see Fig. 7 in Chiquet et al., 2007a). With mica,
less definitive conclusions were drawn in a subsequent study by the same laboratory
[Shah et al., 2008a].

The most conservative approach is to assume that the seal was completely water
d wet in the presence of the hydrocarbon and to use the most extreme reduction factor
of 0.7. The most optimistic approach is to assume that the caprock will remain
completely water wet, corresponding to a contact angle ratio of 1.0. Here we report
the results of calculations for both scenarios.
3 Southern North Sea Example

We have applied this analysis to gas fields from the UK Southern North Sea, as a uniform publicly available dataset is available that includes gas expansion factors that are not otherwise commonly published, and chemical analyses of the gas [I L Abbotts, 1991]. The fields all contain dry gas, with methane contents of 91 – 95 mol %, and CO₂ contents of 0.4 – 1.2 mol % (Table 1). The seal in this instance is the Zechstein halite, so that capillary leakage is impossible, and the column height ratios would not need to be calculated in as real-life assessment of storage capacity. However, it does provide a realistic reference dataset for global submarine reservoir conditions that are also relevant to a number of cases where capillary leakage is the limiting factor; results on commercial datasets where capillary leakage is likely to be the limiting control are comparable. A histogram of the maximal and safe column height ratios calculated for these data is shown in Figure 3 for all the fields with sufficient information (Table 1).

The maximal column height ratios, neglecting contact angle changes, are all greater than 0.995 and less than 2. When experimental contact angles are included, the safe conversion factors are in the range of 0.7 – 0.92; the exceptions being the North and South Sean fields. In the latter, the predicted CO₂ densities are higher than other fields because the CO₂ is in the liquid phase with a density that is substantially higher than the supercritical CO₂ in the higher pressures and temperatures examples.

The conversion factor is more sensitive to changes in the CO₂ density than the gas density because the density difference between the CO₂ and water is smaller. The fields with the poorest conversion factors correspond to hot, low pressure reservoirs where the CO₂ is less dense, such as Ravenspurn South.

The above analysis indicates that the results of this assessment are crucially dependant upon the wetting behaviour of minerals in a CO₂-rich setting. It is suggested that more research is required in this field.

Where the conversion factor is confidently assessed as greater than 1, a further assessment of the structural geometry of the traps could be performed to assess whether any extra storage volume would be gained by an increased column height, i.e. filling any under-filled structures to spill point, subject to pressure increase limitations that are outwith the scope of this paper. If the safe column height conversion factors are taken to be the more realistic of the values calculated here, then this leads to a reduction in the CO₂ storage volume estimate of the fields. In geometrically complex
reservoirs, each trap requires individual assessment to calculate the storage capacity with the safe CO$_2$ column height.

In order to calculate the safe and maximal column heights, we multiply the conversion factors by the pre-production gas column height. Where the gas column was capillary limited, the CO$_2$ column heights are also capillary limited. However, the pre-production column height might not have been capillary limited. In an under filled gas field, the derived CO$_2$ column height will be a lower estimate of the true capillary limited capacity. Similarly, where the gas field is actually limited by a structural spill point, the derived CO$_2$ column height will also be a lower estimate.

This analysis has not taken into account irreversible invasion of water during the production phase which does not affect the estimate of the safe column height since buoyancy is purely derived from the vertical extent of a connected stringer of the buoyant fluid within the reservoir. However, the irreversible water saturation does affect the assessment of capacity, which is beyond the scope of this paper. Capacity is reduced by the irreversible invasion of water since it decreases the proportion of pore space available for CO$_2$ compared to what was available for the initial gas in place.

4  Second order factors

4.1  Effect of brine salinity on IFT

Thus far, we have not considered the effect of brine salinity on the IFT, the data in Figure 1 was for low salinity cases. The effects of brine salinity on measurements of IFT and wettability for the geological storage of CO$_2$ have been investigated by several authors [Aggelopoulos, 2010; Chalbaud et al., 2009; Espinoza and Santamarina, 2010; Massoudi and King, 1975]. They came to several important conclusions. Firstly, the basic form of the IFT curve is controlled primarily by the density difference between the CO$_2$ and brine. Further, increasing salinity linearly shifts the IFT curve to higher values at around a gradient of 1.3 mN/m per molal salt concentration. For salt concentrations above 30g/L of NaCl they found that the induced IFT increase was outwith experimental error.

This effect alone has the potential to increase the IFT in saline formations at depths where CO$_2$ would be in the dense phase by $\sim$4-5 mN/m making the ratio,

$$\frac{\gamma_{CO_2/brine}}{\gamma_{CH_4/water}} \approx \frac{3}{5} = 0.6$$
compared to ~0.5 for the pure water case. However, increasing salinity can also increases the IFT for light hydrocarbon/water systems [e.g. Cai et al., 1996], which would moderate the potential increase. The effect of brine salinity on the IFT ratio is therefore generally a second order feature.

A comprehensive description of the effect of brine salinity on the hydrocarbon/brine IFT is a complicated problem due to the diversity of the composition of hydrocarbon phases. The salinity of the brine increases the IFT between the brine and either a gas or non-polar oil. However, polar fractions such as resins and asphaltenes may contain groups that tend to decrease the IFT. The magnitude of these effects will be on the same order as the effects CO2 saturation in the brine.

Yang et al. (2005) measured the dynamic contact angle between CO2, brine and crude oil systems. They noted that the measured dynamic IFT rapidly decays to a constant value explained by the absorption of CO2 molecules and the reorientation of water molecules at the interface. CO2 dissolution is also a factor with the crude oil. The IFTs are slightly lower in the presence of CO2. These effects are pressure and temperature dependent.

4.2 Generalisation to sour-gas systems

Thus far, this paper has concentrated on the geological storage of CO2 in a depleted field which contained either a pure hydrocarbon mixture or a hydrocarbon + CO2 mixture. Now we include a brief discussion on how this system can be generalised to include H2S in the predominantly CO2 injection stream. Technically, an acid gas is any gas that contains significant amounts of acid gases such as CO2 or H2S; a sour as is a natural gas that specifically contains significant amounts of H2S. Many of the fields yet to be developed contain sour gas and the disposal of H2S is problematic. The conventional process is to separate the sulphur using the Claus process but, as well as several environmental challenges regarding this process, the production of sulphur by this mechanism is already in excess of world demand. An alternative way to deal with the H2S is to reinject it into the subsurface, potentially mixed with CO2, as part of a CCS project which is the context we are interested in here. Here we explore briefly how the terms of Eqn (7) would be altered by the presence of H2S.
The wettability alteration induced by H$_2$S has been investigated on several substrates [Shah et al., 2008a]; it was found that with quartz and a caprock sample no significant wettability alteration was observed. With a mica substrate the water wettability was moderately altered in the presence of gaseous H$_2$S, and drastically in the presence of dense (liquid) H$_2$S.

The density of H$_2$S+CO$_2$ mixtures has to be considered in place of the density of pure CO$_2$ in the density difference ratio; data and models exist for predicting this density [e.g., C. E. Stouffer et al., 2001].

In order to estimate the impact of H$_2$S on CO$_2$ storage in a depleted gas field, we need to be able to assess the impact of H$_2$S on the IFT of gas mixtures. Pure H$_2$S has a lower IFT than either methane or CO$_2$ at approximately 20% of the pure methane value. It has been shown that we can estimate the IFT of mixtures including H$_2$S, by generalising the gas/water IFT estimation (Eqn 8) [Shah et al., 2008b],

\[
\gamma_{\text{gas mixture}/\text{water}} \approx x_{H_2S} \gamma_{H_2S/\text{water}} + x_{CO_2} \gamma_{CO_2/\text{water}} + x_{CH_4} \gamma_{CH_4/\text{water}} \\
\approx (0.2 x_{H_2S} + 0.5 x_{CO_2} + x_{CH_4}) \gamma_{CH_4/\text{water}}
\]  

(10)

As before, the influence of the IFT from different components is dependent upon the mole fraction of that component in the multi-component mixture. Thus the impact of the addition of a finite number of moles of H$_2$S on the IFT of the mixture is dependent on the absolute number of moles of the other components through the calculation of mole fractions.

We consider the implications for the range of likely storage scenarios involving a sour gas stream. There are a number of different sour-gas injection scenarios relevant to CO$_2$ storage; (i) injection of pure CO$_2$ into a field which initially contained a sour gas, (ii) injection of a CO$_2$ + H$_2$S mixture into a field which initially contained low amounts of H$_2$S, and (iii) injection of a CO$_2$ + H$_2$S mixture into a field which initially contained a sour gas.

4.2.1 Case (i): The initial gas in place was sour

The IFT of the initial gas in place would be lower than for a pure hydrocarbon gas resulting in the pre-production column height being lower than it would have been for a purer hydrocarbon, assuming that the capillary entry pressure of the seal was the limiting factor in determining the pre-production column height. Essentially, the reduced seal performance due to the presence of H$_2$S is recorded in the pre-production column height. For a known gas composition, the IFT of this pre-production mixture
can again be estimated using Eqn 10 and applied in Eqn 6 to convert the sour pre-
production column height to a pure CO₂ column height. Where a pure CO₂ stream is
injected into a sour gas reservoir, we can expect larger column heights of CO₂ than
would have been predicted using the pure methane IFT for the initial gas in place,
again assuming that the capillary entry pressure of the seal was the limiting factor in
determining the pre-production column height.

4.2.2 Case (ii): A sour CO₂ stream is injected in a field that did not initially
contain sour gas
This is the simplest case to consider. The IFT of a CO₂+H₂S injection mixture,
with a known composition, can be calculated using Eqn 10. This IFT can then be used
to find the column height conversion factor Eqn 7 and estimate the new column
height. The estimated maximum CO₂ column height will be reduced compared to
injecting pure CO₂, again assuming that the capillary entry pressure of the seal was
the limiting factor in determining the pre-production column height.

4.2.3 Case (iii): Where a sour CO₂ stream is injected into a sour gas reservoir
Here we need to estimate both the injected sour CO₂ IFT and the produced
sour gas IFT. The magnitude of the ratio of these IFTs will determine whether there
will be a net increase or decrease in column height compared to non-sour case. The
calculation of the IFT relies on knowing the mole fraction of each component, which
must be assessed on a case-by-case basis.

Here we present one specific case to demonstrate the non-linear trend in IFT
ratio with depth that emerges as a consequence of the non-linear equations of state.
We consider the case where we extract H₂S from a produced gas and 100 % of this
H₂S is re-injected within the injection gas, and assuming 100 % efficient volume for
volume replacement of total gas within the reservoir; this conserves the molar
calculation of the IFT ratio. The produced gas is composed purely of CH₄ and H₂S. First we
need to calculate the total number of moles per unit volume of H₂S in the produced
gas under reservoir conditions,

\[ m_{\text{H}_2\text{S}}^{\text{produced}} = \frac{m_{\text{CH}_4}^{\text{produced}} x_{\text{H}_2\text{S}}^{\text{produced}}}{1 - x_{\text{H}_2\text{S}}^{\text{produced}}} \approx \frac{x_{\text{H}_2\text{S}}^{\text{produced}}}{1 - x_{\text{H}_2\text{S}}^{\text{produced}}} \frac{\rho_{\text{CH}_4}^{\text{subsurface}}}{M_{\text{CH}_4}}, \]  (11)

The injection stream is a single phase composed purely of CO₂ and H₂S and is
assumed to have the same number of moles of H₂S per unit volume under reservoir
conditions as were present in the produced gas, so that 100 % of the produced H₂S is
re-injected. Assuming any density change in the injection stream due to the presence of H$_2$S is negligible, the mole fraction of H$_2$S in the injection stream can be calculated

$$x_{H_2S}^{injected} = \frac{m_{H_2S}^{produced}}{m_{H_2S}^{produced} + m_{CO_2}} \approx \frac{m_{H_2S}^{produced}}{m_{H_2S}^{produced} + \frac{P_{subsurface}}{P_{CO_2}} M_{CO_2}}.$$  \hspace{1cm} (12)

These two equations are non-linearly related due to the effect of the density of CO$_2$ and CH$_4$ at reservoir pressure and temperature. In figure 4 we explore this non-linear relation as a function of depth using the two scenarios presented earlier in Figure 2 to define the subsurface pressure and temperature trends.

We calculate the mole fraction of H$_2$S in the injection stream for mole fractions in the produced gas of 0.01, 0.02, 0.05 and 0.1 using Eqns (11) and (12) over 2 km depth range. These are plotted in Figure 4a where the diagonal dashed lines show lines of equivalence between gas compositions where

$$IFT_{subsurface \ produced}^{injected} = IFT_{subsurface \ injected}^{injected} \hspace{1cm} \text{in black and}$$

$$IFT_{subsurface \ produced}^{injected} = 2 \ IFT_{subsurface \ injected}^{injected} \hspace{1cm} \text{in red; the latter being equivalent to the non-sour case presented earlier in this paper where the IFT of pure CO$_2$ was noted to be half that of pure CH$_4$ which is confirmed by this line of equivalence passing through the origin where there is no H$_2$S in either stream.}$$

In the inset in Figures 4a and b we zoom in on the data and add contours of constant depth. In both cases the mole fraction in the injection stream initially decreases with depth before increasing again, reflecting the trade off in density variations between CO$_2$ and methane with depth (Figure 1). This is shown more clearly in Figures 4c and d where the mole fraction of H$_2$S in the injection stream is plotted as a function of depth (solid line) compared to the mole fraction of H$_2$S in the produced gas (dashed line) for the same range of H$_2$S contents in the produced gas.

Having calculated the mole fraction of H$_2$S in both the produced and injected streams as a function of depth, we can use Eqn 10 to find the ratio of the IFTs in the injected and produced gasses, which is required to determine the column height conversion factor (Eqn 7). In this example, mole for mole conservation of H$_2$S in the produced and injection streams assuming a total volume for volume replacement of the gasses produces a weak increase in the IFT ratio tending to increase column heights.

Note that the case of large proportions of H$_2$S requires a full calculation of the density of the mixture, which remains beyond the scope of this paper. We have not
considered the modifications to the phase diagram associated with multi-component
gasses, such as the change in bubble point because such a complete treatment is non-
unique and substantially beyond the scope of this paper; the concepts outlined here
remain pertinent to the full analysis.

5 Conclusions

We have demonstrated the utility of a simple conversion factor to estimate safe
CO₂ column heights in depleted gas fields from known, pre-production gas column
heights. This technique has greater utility than estimation from first principles, as pore
throat radii do not need to be estimated, a procedure which would introduce order of
magnitude uncertainties. The measurement of this property requires specific core
which may not be available. The conversion factor takes into account the differences
in buoyancy drive, interfacial tensions and contact angles between the two systems.

Where CO₂ is in the dense phase, the reduction in capillary entry pressure as a
consequence of interfacial tension differences at the seal is at least balanced by the
decrease in buoyancy of supercritical CO₂ compared to natural gas. Thus actual
reductions in the column height are then derived from changes in contact angles,
about which there are large theoretical and experimental uncertainties.

Neglecting the role of contact angles, an optimistic approach, for fields with CO₂
in the dense phase, typical conversion factors are in the range of 1.0-2.0 for the UK
Southern North Sea case studies. For shallow-buried fields with low pressure CO₂ in
the gas phase, the column height conversion factor can be as low as 0.5.

A more conservative estimate includes an assessment of fluid-mineral contact
angle ratios, about which there is significant uncertainty but is a number less than but
on the order of 1. For shaley caprocks this may be as low as 0.7, but this endmember
estimate was based on a single mineral analysis and scaling up to a complex reservoir
caprock is likely to increase this number towards 1 as suggested by other studies. For
example, experiments on carbonate rich caprocks indicate that caprock will remain
water wet. Taking the most extreme value for the single mineral reduces conversion
factors to between 0.7-1.3 for the Southern North Sea case studies. This suggests that
more research should be directed towards understanding wetting behaviour in CO₂-
rich systems to determine whether wettability is a significant control in real systems.
Acknowledgements

M. Naylor is funded by the Scottish Government and the Royal Society of Edinburgh.
M. Wilkinson was funded by the UKERC.

Variable Glossary

\( P \) \hspace{1cm} \text{Reservoir pressure [MPa]}
\( T \) \hspace{1cm} \text{Reservoir temperature [K]}
\( S_g \) \hspace{1cm} \text{The specific gravity}
\( B_{gas} \) \hspace{1cm} \text{The gas formation factor}
\( Z_{gas} \) \hspace{1cm} \text{Compressibility of produced gas}
\( w_s \) \hspace{1cm} \text{Weight percent of dissolved salt in formation water}
\( m_y \) \hspace{1cm} \text{Molar concentration of component } y \text{ [mol/m}^3\text{]}
\( x_y \) \hspace{1cm} \text{Mole fraction of component } y \text{ in a mixture}
\( \psi_{\text{gas/CO2}} \) \hspace{1cm} \text{Natural gas to CO2 column height conversion factor}
\( \rho_w, \rho_{gas}, \rho_{CO2} \) \hspace{1cm} \text{Density of formation water, produced gas, carbon dioxide [kg/m}^3\text{]}
\( \Delta \rho_{X/Y} \) \hspace{1cm} \text{Density difference between substances Y and X [kg/m}^3\text{]}
\( \gamma_{X/Y} \) \hspace{1cm} \text{Interfacial tension between substances X and Y}
\( \cos \theta_{X/Y} \) \hspace{1cm} \text{Contact angle for substances X and Y on some implicit solid matrix}
\( h_{X/Y} \) \hspace{1cm} \text{Column height of substance X with substance Y above}
\( M_y \) \hspace{1cm} \text{Molecular weight of component } y \text{ [g/mol]}
\( r_p \) \hspace{1cm} \text{Pore radius}
\( r_t \) \hspace{1cm} \text{Throat radius}

\( R_{gas} = 8.3144E - 3 \) \hspace{1cm} \text{Universal gas constant for P and T in [MPa] and [K]}
Appendices

Formation water density, $\rho_w$

All of the calculations in this section are using T[F], P[psia] and density[lbm/ft^3] as described by Danesh [2007]. The resulting density, $\rho_w$ needs to be converted back into SI units to integrate with the rest of the analysis.

The formation water density at standard conditions expressed in the weight percent of dissolved salt, $w_s$ can be estimated in the form,

$$\rho_{w(standard)} = 62.368 + 0.438603w_s + 1.60074 \times 10^{-3}w_s^2.$$  

Neglecting the mass of dissolved gas in the water at reservoir conditions, the water density at reservoir conditions can be calculated as,

$$\rho_w = \frac{\rho_{w(standard)}}{B_w}.$$  

Where $B_w$ is the formation water volume factor at standard conditions which can be calculated knowing the reservoir P and T (McCain, 25).

$$B_w = (1 + \Delta V_{w,p})(1 + \Delta V_{w,T})$$

This expression contains a pressure and temperature correction factor,

$$\Delta V_{w,p} = -P(3.58922E - 7 + 1.95301E - 9T) - P^2(2.25341E - 10 + 1.72834E - 13T)$$

$$\Delta V_{w,T} = -1.001E - 2 + 1.33391E - 4T + 5.50654E - 7T^2$$

Produced gas density (dry gas), $\rho_{gas}$

Using the ideal gas formula the density under reservoir conditions [A Danesh, 2007] is expressed as,

$$\rho_{gas} = \frac{PM_{gas}}{Z_{gas}R_{gas}T}$$

Where,

The gas formation factor, $B_{gas}$ describes the ratio of the gas volume at reservoir conditions compared to the gas volume at standard conditions and is frequently a recorded reservoir parameter. This can be used to the compressibility of the gas,

$$Z_{gas} = \frac{B_{gas}P}{3.47 \times 10^{-4} T}.$$
Where the molecular weight is known, this can be used directly. For pure methane, $M_{\text{gas}} = 16$. For natural gas mixtures it will be higher, typically $\sim 22$ [R C Selley, 1998]. For gases with heavier hydrocarbon molecules, such as pentane, it can be as high as $\sim 43$ (Kapuni field, NZ [R C Selley, 1998]).

The specific gravity is often the quoted parameter, which relates the molecular weight of gas at standard conditions to the molecular weight of air at standard conditions, $M_{\text{gas}} = S_g M_{\text{air}} = 28.96 S_g$.

References


Table 1 - Calculated column height ratios for gas fields from the UK Southern North Sea.

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CASE 1: $T_S=10.5^\circ C$ ; $P_S=0.1$ MPa
$\frac{dT}{dz}=35^\circ C/km$ ; $\frac{dP}{dz}=10.5$ MPa/km

CASE 2: $T_S=4^\circ C$ ; $P_S=1.6$ MPa
$\frac{dT}{dz}=25^\circ C/km$ ; $\frac{dP}{dz}=10.5$ MPa/km
(a) \( \text{xH}_2\text{S in produced gas} \)

\( \text{xH}_2\text{S in injected gas} \)

\( \text{xH}_2\text{S, Mole fraction of H}_2\text{S} \)

(IFT ratio)

\( \text{x}^{\text{prod}}_{\text{H}_2\text{S}} = 0.01 \)

\( \text{x}^{\text{prod}}_{\text{H}_2\text{S}} = 0.02 \)

\( \text{x}^{\text{prod}}_{\text{H}_2\text{S}} = 0.05 \)

\( \text{x}^{\text{prod}}_{\text{H}_2\text{S}} = 0.1 \)

\( \text{Depth [m]} \)

\( \text{Depth [m]} \)

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Figure captions

Figure 1 (Colour online) Compilation of IFT data for (CO₂+CH₄)/water mixtures [Q Y Ren et al., 2000] and for the pure CO₂/water [P Chiquet et al., 2007b]. For the data between 0 to 80 mol%CO₂, at each pressure measurements are taken at 4 temperatures (298.15K, 313.15K, 333.15K, 353.15K and 373.15K). For the data at 100 mol%CO₂, measurements were taken at 5 different temperatures. Chiquet suggested that previous measurements of IFT were biased to lower values because they assumed a density of the CO₂ saturated water that proved inaccurate; we interpret it as being likely that the IFT values for the CO₂+CH₄ mixtures lie closer to the lines fitted between the pure CO₂ and pure CH4 IFT values. This interpretation is supported by the tight clustering of the Chiquet measurements compared to Ren.

Figure 2 (Color online) Phase properties and buoyancy drives for two different subsurface scenarios. The left hand figures refer to a sub-aerial case and the right a submarine case. (a,b) Vapour pressure curves (solid black) with subsurface pressure temperature trajectory (solid red). Contours of constant density as a function of pressure and temperature have been added in dashed lines; the corresponding density [kg/m³] has been written in the same color. Dotted blue lines are the critical pressure and temperature. (c,d) Subsurface densities (solid red line) plotted on a pressure-density phase diagram. The black solid line shows the saturated vapour curve and the dew point curve. Some isotherms have been added near the critical point for reference as dashed lines. Dotted blue lines show the critical density and pressure. The dashed red line in (d) is the phase change pressure. (e,f) Natural gas, CO₂, fresh water and saline density profiles. The blue dotted line is the depth corresponding to the critical pressure and the red dashed line in (f) is the depth at which the phase change occurs.
(g,h) Density differences between the (1) natural gas and fresh water (black solid) or saline (black dashed) (2) CO\textsubscript{2} and fresh water (red solid) or saline (red dashed). (i,j) Density difference ratios between (1) gas/fresh water and CO\textsubscript{2}/fresh water systems (solid lines) and (2) gas/saline and CO\textsubscript{2}/saline systems (dashed lines).

**Figure 3** Histogram of (a) maximal and (b) safe (including experimental contact angle data) column height ratios for the Southern North Sea dataset described in the text.

**Figure 4** (Color online) Generalisation to acid gases. Here we present an evaluation of the impact of H\textsubscript{2}S on the interfacial tension ratio assuming the same molarity of H\textsubscript{2}S in a produced methane stream and in an injected CO\textsubscript{2} stream. (a,b) Plot showing the produced and injected molar fractions of H\textsubscript{2}S. The line of equivalence where the gas compositions have the same IFT is shown with the black dashed line. The line of equivalence where the injected (CO\textsubscript{2}+H\textsubscript{2}S) stream has half the IFT of the produced (CH\textsubscript{4}+H\textsubscript{2}S) gas is shown with the red dashed line. Calculations have been performed to calculate the molar fraction of H\textsubscript{2}S in the injection stream assuming a constant molar fraction in the produced gas as a function of depth. The inset figure zooms in on the data and adds contours of depth. Note how the injected molar fraction decreases with depth then increases again. (c,d) Plot of the molar fraction of H\textsubscript{2}S in the injection stream (solid line) given some molar fraction in the produced gas (dashed line). The molar fractions vary non-linearly as they are dependent upon the densities of the CO\textsubscript{2} and methane which vary non-linearly with depth (Figure 2c,d). (e,f) The IFT ratio is calculated as a function of depth using Eqn 10. The IFT of the injection stream is always slightly greater than half the IFT of the produced gas. These ratios also vary non-linearly with depth because they are functions of the molar fractions.