Dependence on pseudorapidity and on centrality of charged hadron production in PbPb collisions at $\sqrt{s_{NN}} = 2.76$ TeV

The CMS collaboration

ABSTRACT: A measurement is presented of the charged hadron multiplicity in hadronic PbPb collisions, as a function of pseudorapidity and centrality, at a collision energy of 2.76 TeV per nucleon pair. The data sample is collected using the CMS detector and a minimum-bias trigger, with the CMS solenoid off. The number of charged hadrons is measured both by counting the number of reconstructed particle hits and by forming hit doublets of pairs of layers in the pixel detector. The two methods give consistent results. The charged hadron multiplicity density, $dN_{ch}/d\eta|_{\eta=0}$, for head-on collisions is found to be $1612 \pm 55$, where the uncertainty is dominated by systematic effects. Comparisons of these results to previous measurements and to various models are also presented.

KEYWORDS: Hadron-Hadron Scattering
1 Introduction

Quantum chromodynamics (QCD), the theory of strong interactions, predicts a phase transition at high temperature between hadronic and deconfined matter [1]. Strongly interacting matter under extreme conditions can be studied experimentally using ultrarelativistic collisions of heavy nuclei. The field entered a new era in November 2010 when the Large Hadron Collider (LHC) produced the first PbPb collisions at a centre-of-mass energy per nucleon pair of 2.76 TeV. This represents an increase of more than one order of magnitude over the highest-energy nuclear collisions previously achieved in the laboratory. The multiplicity of charged particles produced in the central-rapidity region is a key observable characterising the properties of the quark-gluon matter created in these collisions [2].

Nuclei are extended objects, and their collisions occur at various impact parameters, referred to as “centralities”. The studies of the dependence of the charged particle density on the type of colliding nuclei, on the centre-of-mass energy, and on the collision geometry are important for understanding the relative contributions of hard scattering and soft processes to particle production and provide insight into the partonic structure of the nuclei.
In this paper we report measurements of the multiplicity density \(dN_{ch}/d\eta\) of primary charged hadrons. The analysis is based on the 2.76 TeV-per-nucleon PbPb collision data recorded by the Compact Muon Solenoid (CMS) detector in December 2010, in runs without magnetic field. The pseudorapidity is defined as \(\eta = -\ln[\tan(\theta/2)]\) with \(\theta\) the polar angle with respect to the counterclockwise beam direction (the \(z\) axis). The number of primary charged hadrons \(N_{ch}\) is defined as all charged hadrons produced in an event including decay products of particles with proper lifetimes less than 1 cm.

A detailed description of the CMS experiment can be found in ref. [3]. The pixel tracker used for the analysis covers the region \(|\eta| < 2.5\) and a full \(2\pi\) in azimuth, with 66M detector channels out of which 97.5\% were functional during data taking. It consists of a three-layer barrel pixel detector (BPIX) and two endcap disks at each barrel end. Only the barrel section was used in this analysis. The first BPIX layer is located at a radius between 3.6 and 5.2 cm from the beam line, the second between 6.6 and 8.0 cm, and the third between 9.4 and 10.8 cm. The detectors used for event selection are the hadron forward (HF) calorimeters, which cover the region \(2.9 < |\eta| < 5.2\), the beam scintillator counters (BSC), in the range \(3.23 < |\eta| < 4.65\), and the beam pick-up timing (BPTX) devices located at \(z = \pm 176\) m from the interaction point. The operation of the CMS detector with zero magnetic field has the benefit of an increase in the acceptance for charged hadrons down to \(\sim 30\) MeV/c transverse momentum \((p_T)\) without the drawbacks from particles with small \(p_T\) curling up in the magnetic field. The nonzero \(p_T\) threshold is due to the 0.8 mm-thick beryllium beampipe, which is not penetrable for pions and protons below \(p_T \approx 30\) and 140 MeV/c, respectively. The loss of particles due to the beampipe is estimated to be less than 1\% of the produced primary charged hadrons.

Two analysis methods were used for the measurements of \(dN_{ch}/d\eta\) as a function of \(\eta\) and centrality: one uses only pixel clusters in single BPIX layers (hit-counting method), and the other uses doublets of pixel clusters reconstructed from pairs of BPIX layers (tracklet method).

The application of the pixel hit-counting method is a demonstration of the excellent pixel detector response and of its low occupancy even in this high-multiplicity environment, as well as the absence of noise and background. This method is not sensitive to detector misalignment or vertex-position resolution. The tracklet method is essentially a coincidence version of hit-counting. Using the angular coincidence of two hits from the same particle in different layers of the BPIX has the important feature of suppressing random noise.

The paper is organized as follows. The triggering and event selection requirements are explained in section 2, followed by the description of the determination of the reaction centrality in section 3. Sections 4 and 5 introduce the hit-counting and the tracklet methods, respectively. The systematic uncertainties are discussed in section 6, while the final results are presented in section 7.

2 Trigger and event selection

The expected cross section for PbPb hadronic inelastic collisions at \(\sqrt{s_{NN}} = 2.76\) TeV is 7.65 b, according to the chosen Glauber MC parameters described in section 3. Electromagnetic interactions of the colliding nuclei at large impact parameter (ultraperipheral
collisions, UPC) can lead to the breakup of one or both Pb nuclei with a much higher cross section.

Minimum-bias (hadronic inelastic) collisions were selected by the Level-1 trigger system combining the logical OR of two clean and highly efficient triggers. One of them was the BSC coincidence, which requires at least one segment of the BSC firing on each side of the interaction point. The other was an HF coincidence trigger, which requires at least one HF tower on each side to have deposited energies that exceed the readout threshold. Both triggers accept noise at a low rate (less than 1 Hz with two noncolliding beams at full intensity), and have a very high efficiency (approximately 99% after the requirement of a reconstructed vertex). In order to suppress noncollision-related noise, cosmic-ray events, radioactivation, instrumental multiple triggering effects, and beam background, two colliding ion bunches were required to be present in coincidence with each one of these triggers, using information from the BPTX devices. The HF and BSC coincidence triggers were found to be largely insensitive to single-dissociation UPC, as discussed at the end of this section.

The collision rate was 1.0-1.85 Hz per colliding bunch pair during the PbPb data taking period. Therefore, with an orbit frequency of 11 245 Hz, the average number of collisions per bunch crossing was $0.9-1.6 \times 10^{-4}$. There were $129 \times 129$ colliding bunches in the LHC at the time of data taking with no CMS magnetic field.

In order to reject beam-gas interactions, large-hit-multiplicity beam background, and UPC, several offline event selection requirements were imposed:

- Events containing beam-halo muons and other particles from upstream collisions were identified and excluded from the analysis, by requiring the time difference between two hits from the BSC stations on opposite sides of the interaction point to be within 20 ns of the mean flight time between them (73 ns).
- The large-multiplicity beam-background events were removed by requiring the compatibility of the observed pixel-cluster lengths (defined in section 4) with the hypothesis of a PbPb interaction. This filter is the same as the one used in ref. [4].
- An HF coincidence requirement was imposed. At least 3 HF towers were required on each side of the interaction point with at least 3 GeV total deposited energy in each tower.
- Furthermore, the presence of a reconstructed event vertex was required. The analysis methods use their corresponding analysis objects (pixel clusters and tracklets, respectively) to reconstruct the interaction point. The vertex reconstruction is only done along the beamline; the transverse position of the vertex is taken to be that of the beam axis [5]. The methods to determine the collision vertex are described in sections 4.1 and 5.1.

The measurement of the $dN_{ch}/d\eta$ distributions was performed using 100 031 events, corresponding to an integrated luminosity of 13 mb$^{-1}$. Correction factors were determined using simulated events generated with the AMPT Monte Carlo (MC) [6] program. This program combines the HIJING event generator [7] with the ZPC parton cascade procedure [8].
and the ART relativistic transport model [9] for the last stage of parton hadronization. The default tune is used, and the simulated events are reconstructed with the same version of software as used to process the collision data. This event generator produces a larger tail in the multiplicity distribution than that observed in data, making the entire observed multiplicity region completely covered in the simulation. The charged hadron multiplicity in the most-central collisions is 20% higher in AMPT than in data, but since the analysis is done in bins of multiplicity, it is insensitive to this difference.

The event selection for hadronic collisions was fully efficient for (mid)central PbPb collisions. For peripheral collisions the event selection efficiency was determined by comparing peripheral PbPb data and √s = 2.76 TeV pp data with the AMPT and PYTHIA Z2 [10] simulations. Based on these studies, the total event selection efficiency of the minimum-bias trigger for events produced in hadronic PbPb interactions was found to be (99 ± 1)%.

The UPC contamination in the selected event sample was estimated using the photodissociation simulations from ref. [11]. The single-lead photodissociation events were found to be 100% rejected by the event selection criteria outlined above, while half of the double-lead photodissociation events are found to pass the minimum-bias trigger. Such a UPC contamination amounts to (1 ± 0.5)% of the total number of events collected and populates ≈15% (5%) of the 95-100% (90-95%) most peripheral (largest-centrality) events, being negligible for the remaining 0-90% fraction of the PbPb cross section.

3 Centrality determination

In studies with heavy ions, it is important to determine the degree of overlap of the two colliding nuclei, the so-called centrality of the interaction. Centrality is estimated using the sum of transverse energy in towers from both HF at positive and negative z positions. The distribution of the total transverse energy, after the trigger efficiency and the UPC corrections, was used to divide the event sample into bins, each representing 5% of the total nucleus-nucleus interaction cross section. The bin corresponding to the most central events (i.e. smallest impact parameter) is the 0-5% bin, the next one is 5-10% and so on. The distribution of the HF signal, along with the cuts used to define the various event classes, is shown in figure 1. The UPC are concentrated in the two most-peripheral bins. To avoid them completely, only the 0-90% bins are used for the measurements reported in this paper.

The centrality binning using equal fractions of the total interaction cross section can be correlated with more detailed properties of the collision. The quantity of interest for this measurement is the total number of nucleons in the two Pb nuclei that experienced at least one inelastic collision, N\text{part}. The average values of N\text{part} for the various centrality bins (from most-central to most-peripheral), together with their uncertainties, are given in table 1. The N\text{part} values were obtained using a Glauber MC simulation [12, 13] with the same parameters as in ref. [14]. These calculations were translated into reconstructed centrality bins using correlation functions between N\text{part} and the measured total transverse energy, obtained from AMPT simulated events. Different Glauber MC samples were produced varying the Glauber parameters within the uncertainties from refs. [15] and [16]. The variation in the final results is quoted as the uncertainty in N\text{part}.
Figure 1. Distribution of the total transverse energy in the HF used to determine the centrality of the PbPb interactions. The centrality boundaries for each 5% centrality interval are shown by the dashed lines.

<table>
<thead>
<tr>
<th>Centrality</th>
<th>0-5%</th>
<th>5-10%</th>
<th>10-15%</th>
<th>15-20%</th>
<th>20-25%</th>
<th>25-30%</th>
</tr>
</thead>
<tbody>
<tr>
<td>( N_{\text{part}} )</td>
<td>381 ± 2</td>
<td>329 ± 3</td>
<td>283 ± 3</td>
<td>240 ± 3</td>
<td>203 ± 3</td>
<td>171 ± 3</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Centrality</th>
<th>30-35%</th>
<th>35-40%</th>
<th>40-45%</th>
<th>45-50%</th>
<th>50-55%</th>
<th>55-60%</th>
</tr>
</thead>
<tbody>
<tr>
<td>( N_{\text{part}} )</td>
<td>142 ± 3</td>
<td>117 ± 3</td>
<td>95.8 ± 3.0</td>
<td>76.8 ± 2.7</td>
<td>60.4 ± 2.7</td>
<td>46.7 ± 2.3</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Centrality</th>
<th>60-65%</th>
<th>65-70%</th>
<th>70-75%</th>
<th>75-80%</th>
<th>80-85%</th>
<th>85-90%</th>
</tr>
</thead>
<tbody>
<tr>
<td>( N_{\text{part}} )</td>
<td>35.3 ± 2.0</td>
<td>25.8 ± 1.6</td>
<td>18.5 ± 1.2</td>
<td>12.8 ± 0.9</td>
<td>8.64 ± 0.56</td>
<td>5.71 ± 0.24</td>
</tr>
</tbody>
</table>

Table 1. Average \( N_{\text{part}} \) values and their uncertainties for each PbPb centrality range defined in 5 percentile segments of the total inelastic cross section. The values were obtained using a Glauber MC simulation with the same parameters as in ref. [14].

4 Hit-counting method and corrections

Charged particles traversing the pixel detector deposit a certain energy in the silicon sensors, resulting in a proportional amount of charge collected in the pixel readout cells. Contiguous pixel cells with charge above the readout threshold are merged into a pixel cluster. A pixel cluster might be split into multiple clusters if one of its pixel cells fluctuates below the threshold. This phenomenon is called cluster splitting. The fraction of split clusters was estimated from the cluster-to-cluster distance distribution. The fractions in data and simulation were found to differ by less than 0.6%. The pixel-cluster efficiency (i.e. the probability that a cluster is detected once a charged particle crosses a pixel-detector layer), as well as the fraction of large clusters split into two are important quantities for the measurement.

The pixel-cluster efficiency has been extensively studied in pp collisions [4, 17], indicating an efficiency of (99.5 ± 0.5)%. Despite larger particle multiplicities in PbPb collisions, the occupancy of the pixel detector is still smaller than 1% owing to its high granularity (whereas in the strip detector it reaches 20%), and the pixel detector exhibits the same excellent performance in PbPb as in pp collisions.
The hit-counting measurement method is based on the correlation between the cluster length in $z$ and the pseudorapidity of a particle originating from the interaction point. It measures the primary charged hadron multiplicity distributions using the occupancy of a certain layer of the pixel detector by counting the reconstructed hits. The hit-counting method gives three largely independent measurements for the three barrel layers. A similar method was used by the PHOBOS experiment at RHIC \cite{18} and also by CMS for earlier pp analyses \cite{4, 17}. One of the disadvantages of the method is the strong reliance on detector simulation for correction factors. Therefore, the detector simulation was extensively studied and carefully compared to data. The simulation was found to give a very good description of the data in all observables related to detector performance. Such an example can be seen in the left panel of figure 2, which shows the distribution of the pixel-cluster charge in the first BPIX layer from data and simulation. Clusters were selected according to the cluster-size selection described in section 4.2, and the cluster charge was normalised by the impact angle estimated from the cluster location and vertex position. The simulation describes the data well over six orders of magnitude.

4.1 Primary vertex reconstruction using clusters

There is a linear relationship between the length of a pixel-cluster along the beam direction and the $z$ position of the cluster. Thus, hits from primary tracks leave a characteristic V-shaped pattern in the plane of cluster size versus $z$ position. Nonprimary hits (e.g. due to secondary particles or nuclear interactions) fall mostly outside this V-shaped region. Thus, a V-shaped band is used to scan the $z$ axis; the $z$ position with the largest number of associated clusters is used as the vertex $z$ position. The vertex $z$ position is thus obtained by maximizing the consistency of the pixel-cluster lengths and global $z$ positions with a primary vertex hypothesis.
4.2 Cluster selection

Particles travelling from the primary vertex at a small angle with respect to the beam axis produce larger clusters in the BPIX layers than those at large angles. The cluster size is proportional to $|\sinh \eta|$, where the pseudorapidity $\eta$ of the cluster is computed with respect to the reconstructed vertex (right panel of figure 2). Particles from background processes (decays in flight, nuclear interactions, etc.) often have smaller clusters than those produced in the primary interaction, since their crossing angle is not correlated to the $\eta$ of the hit. Thus, a large fraction of clusters from background processes (referred to as background clusters) can be rejected by a selection based on the cluster size variable. The selection is defined in $\eta$ bins (shown as a red line in the right panel of figure 2).

4.3 Corrections

Not all of the background clusters are removed by the cluster selection described above since they can occasionally mimic the length of clusters generated by primary particles. The correction factor $\chi(\eta, M)$ is defined as the ratio of the number of selected clusters in the data to the number of primary charged hadrons at a pseudorapidity $\eta$ and a given cluster multiplicity $M$. It is calculated from simulation using:

$$\chi(\eta, M) = \frac{N_{\text{hit}}^{\text{MC}}(\eta, M)}{N_{\text{hadron}}^{\text{MC}}(\eta, M)},$$

(4.1)

where $M$ denotes the total number of clusters passing the cluster selection, $N_{\text{hit}}^{\text{MC}}(\eta, M)$ is the number of selected clusters, and $N_{\text{hadron}}^{\text{MC}}(\eta, M)$ the number of primary charged hadrons in the simulation. This correction factor is used to convert the measured $N_{\text{hit}}(\eta, M)$ pixel-cluster distributions from data into the corresponding primary charged hadron distributions, $N_{\text{hadron}}(\eta, M)$.

The $\chi(\eta, M)$ correction factor is only weakly dependent on the physical process producing the hadrons, since it mainly contains information on the detector geometry. In a perfectly hermetic and 100% efficient detector, $\chi(\eta, M)$ would be slightly above unity, as not only the primary, but also the secondary particles can generate hits. For detectors covering a limited solid angle, its values will be between 0 and 1. For very large multiplicities, $\chi(\eta, M)$ may decrease with increasing $M$ because of the more significant occupancy (provided the primary/secondary ratio stays roughly constant). However, the occupancy of the silicon pixel layers is observed to be small and no apparent decrease of $\chi(\eta, M)$ is visible with increasing centrality. The $\chi$ correction increases with increasing distance from the interaction point, because layers further from the primary vertex are hit by more decay products, as well as by more secondaries from nuclear interactions.

The correction factor in the first layer is in the range 1.0-1.2, while its average value in the 0-10% centrality bin is 1.1, 1.2, and 1.3 for the first, second, and third layers, respectively.

The pseudorapidity distribution of charged particles, for a fixed $M$, is calculated from the measured $N_{\text{hit}}(\eta, M)$ distribution, correcting for the hit/primary charged hadron ratio and normalising it to the number of events with multiplicity $M$ passing the event selection, $N_{\text{selected}}(M)$:

$$\frac{dN_{\text{ch}}}{d\eta}(\eta, M) = \frac{1}{\Delta \eta \, \chi(\eta, M) \, N_{\text{selected}}(M)} \frac{N_{\text{hit}}(\eta, M)}{N_{\text{hit}}^{\text{MC}}(\eta, M)},$$

(4.2)
where $\Delta \eta$ is the width of the $\eta$ bin.

The event selection efficiency for a given multiplicity is determined as the ratio of the number of MC events with multiplicity $M$ which pass the event selection criteria $N_{\text{selected}}^{\text{MC}}(M)$ to the total number $N_{\text{tot}}^{\text{MC}}(M)$ generated with multiplicity $M$: $\epsilon(M) = N_{\text{selected}}^{\text{MC}}(M)/N_{\text{tot}}^{\text{MC}}(M)$.

To measure the final, multiplicity-independent pseudorapidity distribution, the multiplicity-dependent distributions derived from eq. (4.2) are weighted by the event selection efficiency $\epsilon(M)$ and then summed over $M$:

$$
\frac{dN_{\text{ch}}}{d\eta}(\eta) = \sum_M N_{\text{selected}}^{\text{MC}}(M) \frac{1}{\epsilon(M)} \frac{dN_{\text{ch}}}{d\eta}(\eta, M) \sum_M N_{\text{selected}}^{\text{MC}}(M) \frac{1}{\epsilon(M)}.
$$

(4.3)

Because a reconstructed event vertex is required as part of the event selection, the sum is over $M > 0$.

5 Tracklet method and corrections

Tracklets are two-hit combinations in different layers of the BPIX that are consistent with a particle originating from the primary vertex. The tracklet analysis makes use of the correlation between hit positions: pairs of hits produced by the same charged particle have only small differences in the pseudorapidity ($\Delta \eta$) and the azimuthal angle ($\Delta \phi$) with respect to the primary vertex.

5.1 Primary vertex reconstruction using tracklets

In this method a tracklet-based vertex finder is used. In the first step, a hit from the first BPIX layer is selected and a matching hit is sought. If the magnitude of the difference in azimuthal angle ($\Delta \phi$) between the two hits is smaller than 0.08, the pair is saved as a proto-tracklet. This procedure is repeated for each first-layer hit to get a collection of proto-tracklets. For each proto-tracklet, the expected longitudinal vertex position is found using:

$$
z = z_1 - r_1(z_2 - z_1)/(r_2 - r_1),
$$

(5.1)

where $z_1(2)$ is the $z$ position of the first (second) layer hit, and $r_1(2)$ is its radius. The calculated $z$ positions are saved as vertex candidates. The second step is to determine the primary vertex from the vertex candidates. If the magnitude of the difference between the $z$ positions of any two vertex candidates is less than 0.14 cm, they are combined as a vertex candidate cluster. Finally, the vertex candidate cluster with the highest number of vertex candidates is selected as the primary vertex. The final vertex $z$ position is determined by the average $z$ position of the vertex candidates in the cluster.

5.2 Tracklet reconstruction

All three barrel layers of the pixel detector are used in pairs: 1st+2nd, 1st+3rd, and 2nd+3rd. The differences in pseudorapidity and azimuthal angle, as well as the two-dimensional separation $\Delta R = \sqrt{(\Delta \eta)^2 + (\Delta \phi)^2}$ between the two hits of a tracklet, are important for characterising the tracklet.
Tracklets are reconstructed in three steps:

1. For each reconstructed hit, the pseudorapidity is calculated using the primary vertex location. Hits that pass the cluster size selection (as described in section 4.2) are kept for further analysis.

2. Starting with a reconstructed hit in the \( a \)th layer and looping over the reconstructed hits in the \( b \)th layer (with \( b > a \)), all possible combinations with \( |\Delta R| < 0.5 \) are saved as proto-tracklets.

3. Proto-tracklets are sorted in \( \Delta R \). If a \( b \)th-layer hit is matched more than once, the proto-tracklet with the smallest \( \Delta R \) is kept. The selected proto-tracklets are the final reconstructed tracklets.

In addition to primary charged particles, the set of tracklets also include contributions from secondary interactions in the beampipe, particles from weak decays, and combinatorial background.

The combinatorial background tracklets are defined as combinations from secondary hits and hits from different primary tracks. The background fraction is largely suppressed by the \( \Delta R \) ordering and the selection of tracklets (described in the next section). The tracklets from secondary particles are suppressed, and the correction for the remaining contribution relies on simulation.

### 5.3 Combinatorial and secondary particle background

Background tracklets can be created from incorrectly associated hits. The \( \Delta \eta \) and \( \Delta \phi \) of a tracklet are very useful quantities for the separation of signal and combinatorial background tracklets. Because of the absence of magnetic field, selecting the best proto-tracklet with the smallest \( \Delta R \) provides a powerful way to reject combinatorial background: signal proto-tracklets exhibit a correlation peak around \( \Delta R = 0 \), while the background component extends to large \( \Delta R \).

The \( \Delta \eta \) and \( \Delta \phi \) distributions of selected tracklets from minimum-bias collisions in data and simulation are shown in figure 3 for combinations in the first and second pixel layers. The signal peaks at \( \Delta \eta \) and \( \Delta \phi = 0 \) are clearly visible. Data and simulation show agreement over several orders of magnitude.

The effect of secondary hits on the agreement between data and simulation seen in figure 3 was tested by adding random hits to simulated events. The simulated tracklet spectra were found to be distorted even by a few percent of random hits, spoiling the agreement between data and simulation. Given the very good agreement in the tracklet spectra, the fraction \( \beta \) of combinatorial background tracklets can therefore be reliably obtained from simulation. The value of \( \beta \) is in the range 0-15\%, depending on the multiplicity of the event, the pseudorapidity of the tracklets, and the \( z \) position of the event vertex. The number of background-subtracted tracklets \( N_{\text{tracklet}} \) is determined from the raw number of tracklets in data \( N_{\text{raw}} \) using: \( N_{\text{tracklet}} = (1 - \beta) \times N_{\text{raw}} \).
5.4 Efficiency and acceptance correction

To calculate the number of hadrons from the number of tracklets, an efficiency correction must be applied. The correction factor $\alpha(M, \eta, z_v)$ for the tracklet reconstruction efficiency is defined as

$$\alpha(M, \eta, z_v) = \frac{N_{\text{truth}}(M, \eta, z_v)}{[1 - \beta(M, \eta, z_v)]N_{\text{tracklet}}(M, \eta, z_v)},$$

where $z_v$ is the $z$ position of the vertex, $N_{\text{truth}}(M, \eta, z_v)$ is the true number of charged hadrons in the simulated sample, and $N_{\text{tracklet}}$ is the raw number of selected tracklets in the MC sample. The factor $\alpha(M, \eta, z_v)$ is used to calculate the charged hadron spectra from the measured background-subtracted tracklets. Typical values of $\alpha$ are less than 1.15 because of the high hit-reconstruction efficiency in the BPIX. At larger pseudorapidity, the correction factor increases, owning to the reduced acceptance. The size of the acceptance correction also depends on the position of the primary vertex.

The pseudorapidity distribution of charged hadrons for a given multiplicity $M$ is obtained from the measured number of tracklets ($N_{\text{tracklet}}$), the background fraction ($\beta$), the efficiency and acceptance correction ($\alpha$), and the normalisation to the number of selected events:

$$\frac{dN_{\text{ch}}}{d\eta}(\eta, M) = \frac{\sum_{z_v} \alpha(M, \eta, z_v)[1 - \beta(M, \eta, z_v)]N_{\text{tracklet}}(M, \eta, z_v)}{\Delta\eta N_{\text{selected}}(M)},$$

where $\Delta\eta$ is the width of the $\eta$ bin and $N_{\text{selected}}(M)$ is the number of selected events used in each multiplicity bin. The $\alpha(1 - \beta)$ correction has a typical value larger than 0.85. For the final $dN_{\text{ch}}/d\eta$ distribution the multiplicity-dependent results are weighted by the event selection efficiency $\epsilon(M)$ and then summed as in eq. (4.3).
6 Systematic uncertainties

A summary of systematic uncertainties affected the measurement of $dN_{ch}/d\eta$ for the two analysis methods is given in table 2.

The results from different BPIX layers (or layer combinations) from either of the measurement methods differ by less than 2%, and thus they are averaged using the arithmetic mean. The uncertainties of the averaged results from the hit-counting and tracklet methods are dominantly systematic and largely correlated. Therefore, the two results are averaged using equal weights. Since the difference between the measurements from the two methods is smaller than 1%, the weighting procedure has very little effect on the numerical value of the final result.

The uncertainties on the final average result are computed as follows. All the systematic uncertainties listed in table 2 are correlated between the two methods, except those associated with the efficiency of reconstruction and misalignment. The correlated, $(s_{h.c.})_j$ and $(s_{tracklet})_j$, and the uncorrelated, $(\sigma_{h.c.})_j$ and $(\sigma_{tracklet})_j$, uncertainties of the hit-counting and tracklet methods (indexed by $j$) are summed in quadrature:

$$\bar{s} = \sqrt{\sum_j [(s_{h.c.})_j + (s_{tracklet})_j]^2 / 2}$$

$$\bar{\sigma} = \sqrt{\sum_j [(\sigma_{h.c.})_j^2 + (\sigma_{tracklet})_j^2] / 2},$$

resulting in $\bar{s}$ and $\bar{\sigma}$ correlated and uncorrelated uncertainties of the average, respectively. The total systematic uncertainty is then $\bar{\sigma}_{tot} = \sqrt{\bar{s}^2 + \bar{\sigma}^2}$.

In this paper the distributions of three observables are reported: $dN_{ch}/d\eta|_{\eta=0}$ as a function of centrality class, $(dN_{ch}/d\eta)/(N_{part}/2)$ as a function of $\eta$, and $(dN_{ch}/d\eta|_{\eta=0})/(N_{part}/2)$ as a function of $N_{part}$.

The systematic uncertainties affecting the slope and those affecting the absolute scale of $dN_{ch}/d\eta|_{\eta=0}$ and $(dN_{ch}/d\eta|_{\eta=0})/(N_{part}/2)$ measurements are determined separately. Systematic uncertainty sources affecting the slope are those on the centrality and the Glauber calculation of $N_{part}$; all other sources affect the scale. The results are presented in section 7 with these two uncertainties shown separately.

The slope of $dN_{ch}/d\eta|_{\eta=0}$ as a function of centrality is only affected by the uncertainty on the determination of the centrality bins. Both the slope and the absolute scale of the $N_{part}$-normalised distributions are affected by the uncertainty on $N_{part}$ from the Glauber calculation, given in table 1. These contributions are computed by transforming the uncertainty in $N_{part}$ into an uncertainty on the $N_{part}$-normalised hadron density distribution using the derivative of the measured $(dN_{ch}/d\eta)/(N_{part}/2)$ distributions as a function of $N_{part}$.

The systematic uncertainties affecting the measurements are as follows.

Centrality. The determination of the centrality bins as a percentage of the total hadronic cross section relies on the hadronic event selection efficiency (99 ± 1)%, UPC contamination (1 ± 0.5)%, and the percentile binning of the centrality variable. Thus, the uncertainty in the event selection cross section causes uncertainty in the centrality binning by moving the bin boundaries, shifting the event population in each centrality bin. The effect of this centrality uncertainty on the final results was studied by repeating the analysis using various...
centrality tables (derived from the various trigger efficiencies allowed by the uncertainty on the efficiency). These studies indicate that the uncertainty of the $dN_{ch}/d\eta$ values ranges from 0.5% for the 0-5% centrality bin to 15.6% for the 85-90% centrality bin.

**Pixel hit efficiency.** The efficiency of the pixel layers is larger than 99%, measured from pp data \[17\]. The pixel detector has low occupancy even in central heavy-ion collisions because of its fine segmentation. Therefore, the same pixel hit efficiency and uncertainty measured in pp collisions are used here. The pixel hit efficiency affects tracklets more, since two layers are required; a 0.5% inefficiency per pixel layer leads to a 1% inefficiency for tracklet finding.

**Tracklet and cluster selection.** Varying the cluster selection requirements (pixel-cluster length selection) and tracklets selection (requirement on $\Delta R$) is used to estimate the uncertainty due to cluster and tracklet selection. The cluster selections were changed by one pixel unit in all $\eta$ bins and the $\Delta R$ selection by a factor of three. The observed differences in the final results (3% and 0.5%, respectively) are quoted as conservative systematic uncertainties.

**Acceptance uncertainty.** The positions of the BPIX modules are only slightly different in data and in simulation, but hits at the extreme edges of the BPIX are not used in the analysis, limiting the systematic uncertainty from this effect. The $\eta, \phi$ acceptance was estimated from data by using the endpoints of tracklets to map the active surface of the BPIX layers. From this study, the acceptance correction is estimated to be 1% in pp collisions. In PbPb collisions (due to the longer luminous region in the beam direction) this uncertainty was increased to 1.5%. No correction is applied, but the effect is included in the systematic uncertainty.

**Corrections due to hits from secondary particles.** The sensitivity of the correction factors applied to remove hits caused by secondary particles was tested using two largely

<table>
<thead>
<tr>
<th>Source</th>
<th>Hit-counting [%]</th>
<th>Tracklet [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Centrality (0-5% to 85-90%)</td>
<td>0.5-15.6</td>
<td>0.5-15.6</td>
</tr>
<tr>
<td>Pixel hit efficiency</td>
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<td>1.0</td>
</tr>
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<td>Acceptance uncertainty</td>
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</tr>
<tr>
<td>Correction for secondary particles</td>
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<td>1.0</td>
</tr>
<tr>
<td>Pixel-cluster splitting</td>
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<td>0.4</td>
</tr>
<tr>
<td>Reconstruction efficiency</td>
<td>-</td>
<td>1.9</td>
</tr>
<tr>
<td>Misalignment</td>
<td>-</td>
<td>1.0</td>
</tr>
<tr>
<td>Random hits</td>
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<td>0.2</td>
</tr>
<tr>
<td>Total uncorrelated uncertainties</td>
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<td>2.1</td>
</tr>
<tr>
<td>Total uncertainties</td>
<td>4.2-16.2</td>
<td>3.1-15.9</td>
</tr>
</tbody>
</table>

Table 2. Summary of systematic uncertainties on the $dN_{ch}/d\eta$ measurements and their sum for the two analysis methods.
different event generators: AMPT and HYDJET [19]. The relative fraction of strange particle production differs by 60% in the two generators, but the effect on the correction factor was found to be only 2% for the case of the hit-counting analysis. The tracklet analysis is less sensitive to secondaries.

**Pixel cluster splitting.** The relative fraction of split clusters was estimated from the cluster-cluster distance distribution. This study shows that the number of split clusters in data does not exceed that in simulation by more than 0.5-0.7%. No correction is applied for this effect in the analyses, but a conservative systematic uncertainty (1% and 0.4%, respectively, for the hit-counting and tracklet analyses) is assigned.

**Efficiency of tracklet reconstruction.** The uncertainties in the simulation of the $p_T$ and multiplicity ($M$) distributions influence the determination of the tracklet reconstruction efficiency. The uncertainty (1.9%) is estimated based on variations of these quantities within reasonable limits: $\langle p_T \rangle$ was modified by 10%, and the multiplicity variable was changed from using clusters to HF towers.

**Misalignment.** The hit-counting method is not sensitive to detector misalignments. The tracklet method has a sensitivity through the $\Delta R$ selection, which was studied by moving the reconstructed hit positions (the entire detector) by 0.3 mm in the simulation, while keeping the vertex position at the same place, giving a 1% change in the final result. Since the $\Delta \phi$ and $\Delta \eta$ distributions and the correlation widths agree well, no significant misalignment is seen in the data.

**Random hits.** With the restrictive event selection criteria, the contamination from beam-gas (high-occupancy) events in the final data sample is negligible. The other potential source of background is the accidental overlap between beam-gas and PbPb collisions. A conservative systematic uncertainty of 1% is assigned for the hit-counting analysis, which is more sensitive to this overlap than the tracklet analysis, for which 0.2% is assigned.

### 7 Results

The hit-counting and tracklet $dN_{ch}/d\eta$ results are in good agreement; their average difference is smaller than 1%. Their individual results are averaged as described in section 6, and these averages are presented as the final results.

The left panel of figure 4 presents the measured $dN_{ch}/d\eta|_{\eta=0}$ values as a function of centrality. The statistical uncertainties are negligible, while the systematic uncertainties are shown as two bands. The inner green band shows the measurement uncertainties affecting the scale of the measured distribution, while the outer grey band shows the full systematic uncertainty, i.e. affecting both the scale and the slope. Details on the calculation of the uncertainty bands are given in section 6. The charged hadron density for the 5% most-central events (0-5% centrality bin) is measured to be $dN_{ch}/d\eta|_{\eta=0} = 1612 \pm 55$ (syst.). These results are consistent with those of ALICE [20] within the uncertainties, as shown in figure 4 (left). The error bars of the ALICE points in the figure show the total statistical
Figure 4. Left: $dN_{ch}/d\eta|_{\eta=0}$ as a function of centrality class in 2.76 TeV PbPb collisions from this experiment (solid circles) and from ALICE (open squares) [20]. The inner green band shows the measurement uncertainties affecting the scale of the measured distribution from this analysis, while the outer grey band shows the full systematic uncertainty, i.e. affecting both the scale and the slope. Right: Measured $dN_{ch}/d\eta/(N_{\text{part}}/2)$ distributions from this analysis as a function of $\eta$ in various centrality bins.

and systematic uncertainties. The CMS measurements cover the centrality range of 0-90%, extending the ALICE results (0-80%) to more-peripheral collisions.

In order to compare bulk particle production for different colliding nuclei and at different energies, the charged-hadron density is divided by the average number of participating nucleon pairs, $N_{\text{part}}/2$, determined for each centrality bin. The $N_{\text{part}}$ values are obtained using the Glauber calculation, by classifying events according to their impact parameter, without reference to a specific particle production model (table 1).

The measured $(dN_{ch}/d\eta)/(N_{\text{part}}/2)$ distributions as a function of $\eta$ in various centrality bins are shown in the right panel of figure 4. The uncertainty bands of these distributions also include the Glauber uncertainty on $N_{\text{part}}$. The $\eta$ dependence of the results is weak, varying by less than 10% over the $\eta$ range. The slight dip at $\eta = 0$ is a trivial kinematic effect (Jacobian) owing to the use of pseudorapidity ($\eta$) rather than rapidity ($y$).

The left panel of figure 5 presents the measured $(dN_{ch}/d\eta|_{\eta=0})/(N_{\text{part}}/2)$ as a function of $N_{\text{part}}$. The statistical uncertainties on the CMS results are indicated by error bars (negligible), while the systematic uncertainties are shown as two bands. The inner green band shows the systematic uncertainty affecting the scale, while the outer grey band shows the full systematic uncertainty. The error bars on the ALICE [20] and the RHIC [21] points show the quadratic sum of the statistical and systematic uncertainties. The RHIC results are multiplied by numerical factors to match the $N_{\text{part}}$-normalised multiplicity observed at the LHC for central collisions. The pp results shown in the figure are obtained from the measured non-single-diffractive (NSD) $dN_{ch}/d\eta|_{\eta=0} = 4.47 \pm 0.2$ (CMS) [17] and the inelastic $dN_{ch}/d\eta|_{\eta=0} = 3.77^{+0.26}_{-0.13}$ (ALICE) [22] values at 2.36 TeV, using the $\sqrt{s}$ depen-
Figure 5. Left: measured $(dN_{\text{ch}}/d\eta|_{\eta=0})/(N_{\text{part}}/2)$ as a function of the number of participants in 2.76 TeV PbPb collisions from this analysis and the ALICE experiment [20], from RHIC [21] at 200 GeV and 19.6 GeV, and from extrapolated pp results from CMS [17] and ALICE [22]. Systematic uncertainties affecting the scale of the measurements from this analysis are shown as inner green error bands and the total systematic uncertainties as an outer grey band, while the error bars indicate statistical uncertainties. The black stars are shifted slightly to the right for better visibility. The ALICE and the averaged RHIC results are from [20] and [21], respectively. Right: results from this analysis are compared with model predictions of $(dN_{\text{ch}}/d\eta|_{\eta=0})/(N_{\text{part}}/2)$ as a function of the number of participants in 2.76 TeV PbPb collisions. The model predictions are taken from refs. [23–25].

The phenomenological descriptions of particle production in nuclear collisions are often based on two-component models, combining contributions from perturbative QCD processes, i.e. (mini)jet fragmentation and soft interactions. The data are compared to three different approaches: (i) HIJING 2.0 [23], which basically scales (via the number of incoherent nucleon-nucleon collisions) the (semi)hard parton scatterings and fragmentation (Lund model [26]) implemented in PYTHIA after accounting for the “shadowing” of the nuclear parton distribution functions; (ii) parton saturation approaches [24], which model heavy-ion interactions as the collision of two dense multigluon wavefunctions with cross sections peaking at a semihard scale (saturation momentum of $\approx 2-3$ GeV/c at the LHC) [27, 28], followed by their fragmentation according to a simple parton-to-hadron local-duality prescription; and (iii) the DPMJET-III MC program [25], based on the Regge-Gribov theory. This is an extension of the PHOJET [29] program in which interactions from soft degrees of
freedom (Pomerons) can fuse in the dense initial state. They are extended consistently into the hard regime via “hard” or “cut” Pomerons, and then fragmented using the standard Lund model.

The measured \( \frac{dN_{ch}}{d\eta}|_{\eta=0}/(N_{\text{part}}/2) \) versus \( N_{\text{part}} \) distribution is compared to the various model predictions in the right panel of figure 5. The two-component HIJING 2.0 model, which has been tuned to high-energy pp and central PbPb data, describes the general shape of the data. The HIJING model includes an impact-parameter-dependent gluon shadowing parameter \( s_g \), which limits the rise of particle production with centrality. The magnitude of the particle production favours a relatively large \( s_g = 0.23 \) value, although the shape of the centrality dependence prefers a smaller \( s_g = 0.17 \). The observed centrality dependence is well reproduced by the saturation model of ref. [24]. Both refs. [23] and [24] were published knowing the result of ALICE [30] on the multiplicity of the 5% most-central collisions, although previous saturation-based calculations (e.g. [31]) predicted central charged hadron densities very similar to those finally measured. The DPMJET-III model is capable of describing the charged hadron multiplicity in the most-central collisions, but shows a stronger rise with centrality than observed in the data. The measured particle densities provide basic constraints on the initial conditions of the quark-gluon plasma in any hydrodynamical approach employed to study PbPb interactions at the LHC [32].

The collision-energy dependence of the measured \( \frac{dN_{ch}}{d\eta}|_{\eta=0}/(N_{\text{part}}/2) \) for 0-5% and 0-70% centrality from this analysis and from ALICE, PHENIX, and PHOBOS can be
seen in figure 6. The PHENIX and PHOBOS points are taken from refs. [21] and [33], their error bars representing both the statistical and systematic uncertainties. Systematic uncertainties of the measurements from this analysis are shown as an error band, while the statistical uncertainties are negligible. The NSD pp results of CMS, ALICE, UA5, and UA1 are from refs. [4, 17, 22, 34, 35], respectively. The \(N_{\text{part}}\) values at different collision energies are different for a fixed centrality bin. When the \(N_{\text{part}}\) dependence of \((dN_{\text{ch}}/d\eta)/(N_{\text{part}}/2)\) from PHENIX and PHOBOS are used to extrapolate their \((dN_{\text{ch}}/d\eta)/(N_{\text{part}}/2)\) results shown in figure 6 to the \(N_{\text{part}}\) values appropriate for the LHC, they change by no more than 3%. This correction is not applied in figure 6. The normalised charged hadron densities shown in figure 6 are fit to a power-law function: \(a + s_{NN}\). The fit returns the value \(n = 0.13\) for PbPb and \(n = 0.10\) for NSD pp collisions. The results of the fits are shown by the straight lines in figure 6. These results provide additional constraints on the energy evolution of the saturation momentum in the proton and nuclei [27, 28], as well as in general on the \(p_T\) cutoff between soft and hard dynamics used in the models of particle production in high-energy hadronic collisions.

8 Summary

A measurement of charged hadron multiplicity as a function of pseudorapidity and centrality in PbPb collisions at \(\sqrt{s_{NN}} = 2.76\) TeV has been reported. For the 5% most-central collisions, a primary charged hadron density of \(1612 \pm 55\) is measured, which represents an increase of a factor of 3 compared to similar measurements at RHIC energies. The \(dN_{\text{ch}}/d\eta\) distributions, measured over the range \(|\eta| < 2.5\), show weak \(\eta\) dependence, the variation being less than 10%. The \(N_{\text{part}}\)-normalised multiplicity distributions from RHIC and the LHC have a similar dependence on centrality, although the lower-energy collider data has a somewhat flatter dependence. A parton saturation model describes well the observed centrality dependence. The collision-energy dependence of the measured hadron multiplicities at central rapidities is well modelled by a power-law function of the type \(a + s_{NN}^n\). These results provide information on the parton structure of the nucleus and the proton and its evolution as a function of centre-of-mass energy. They also give additional constraints on the initial conditions in nucleus-nucleus collisions at LHC energies for hydrodynamical evolution studies of the strongly interacting produced system.

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