Data Diff: Interpretable, Executable Summaries of Changes in Distributions for Data Wrangling

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ABSTRACT
Many analyses in data science are not one-off projects, but are repeated over multiple data samples, such as once per month, once per quarter, and so on. For example, if a data scientist performs an analysis in 2017 that saves a significant amount of money, then she will likely be asked to perform the same analysis on data from 2018. But more data analyses means more effort spent in data wrangling. We introduce the data diff problem, which attempts to turn this problem into an opportunity. Comparing the repeated data samples against each other, inconsistencies may be indicative of underlying issues in data quality. By analogy to text diff, the data diff problem is to find a "patch", that is, transformation in a specified domain-specific language, that transforms the data samples so that they are identically distributed. We present a prototype tool for data diff that formalizes the problem as a bipartite matching problem, calibrating its parameters using a bootstrap procedure. The tool is evaluated quantitatively and through a case study on an open government data set.

CCS CONCEPTS
• Information systems → Data mining;

KEYWORDS
automl; data mining; data wrangling; sequential analysis

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1 INTRODUCTION

Data wrangling is the process of transforming raw data into a clean sample that can be used for analysis, data mining, and machine learning. Wrangling includes steps such as structuring data into tables, standardizing formats, and addressing data quality issues such as typographical errors, changes in units of measure, coding of missing values, and so on. Individually, each of these transformations are quite simple, but the wrangling process as a whole becomes expensive and tedious, for two reasons. The first, which we might call death by a thousand wranglings, is usually there is not just one issue in the data to fix, but many, and each requires separate data wrangling effort. The second, an Anna Karenina principle, is that every dirty data set is dirty in its own way. In our experience, it is uncommon for data cleaning and preprocessing workflows to be transferable across data sets.1 For these reasons, data wrangling is often cited as taking up a large proportion of the time required for a data science or machine learning project [5, 16].

Often data scientists will write a series of data preparation scripts [16, 18], but because of the Anna Karenina principle, the analyst is aware that these scripts are likely to be one-offs, and so the scripts are brittle and closely tied to details of the data source and format. It is therefore unfortunate that there is in fact a large class of data analyses that are not "one offs" but are repeated over time. For example, suppose a data scientist creates a report analysing hospital admissions. If the report is useful, then it may well be requested again, but computed on a data sample from the next year. More generally, many data sets arrive in batches, which we call data samples, at periodic intervals, e.g., every month, every quarter, every year and so on. But even when created by the same organization, with great care, repeated data samples are often not exactly alike, because of changes to what columns are available, how data is coded, and so on. Each difference between the data samples means more data wrangling effort.

The “data diff” task that we propose is an attempt to transform the difficulty of repeated data samples into an opportunity.2 The opportunity is that if the data samples are expected to be identically distributed, or at least in the same format, we can perform a first pass of data cleaning by comparing the latest data sample to the earlier ones. Differences discovered in this comparison may represent underlying data quality issues, or formatting differences that are

1A similar point is made in advice to UK government data scientists here: https://ukgovernmentscience.github.io/dap_companion/exemplar.html (see Section 4.2)
2“data diff” was proposed by R. Caruana as an AutoML challenge task in a talk on “Open Research Problems in AutoML” at the 2015 ICML AutoML Workshop in Lille, France.
likely to break data preparation scripts, which warrant further investigation.

More specifically, the data diff tool is analogous to the Unix diff tool for text files, which examines two text files and reports a small change, called a patch, that will transform one file to another. However, running text diff on a pair of data sets, e.g., as comma-separated value files, is not likely to produce useful output—in most cases, we know the rows in the new data set are different, but we want to test whether the data distribution and format are the same. Instead, in data diff, a patch between two data sets D1 and D2 is a simple transformation that will make D1 appear as if it were sampled from the same population as D2. Transformations can include permutation of columns, linear transformations of columns, and so on. We introduce a first method for the data diff as a structure learning problem, in which we search for a transformation that minimizes a measure difference between distributions, with a penalty term to favour simpler, more interpretable diffs.

We present a case study of applying data diff to an open government data set. In the case study we have multiple data samples that were generated by the same organization over different time spans. There are significant changes in the format across the samples that would be highly likely to break most data preparation scripts. The data diff tool is able to detect these differences and explain them to an analyst, thus eliminating the tedious debugging time that would be required to discover them manually.

More broadly, the potential applications of a data diff tool range far beyond data wrangling. Detecting changes in distributions is one of the most fundamental tasks in data analysis. As an example, consider the deployment of machine learning models. We might need to deploy the same classifier across multiple sites, for example, multiple hospitals for a clinical application, multiple factories for a manufacturing application, and so on. But the classifier has been trained on data of a particular format, and it is highly unlikely that every site will format the input data for the classifier correctly the first time. A data diff tool can provide guidance on fixing errors in input format. As another example, deployed machine learning models commonly experience changes over time in the distribution of test examples, perhaps due to concept drift [17], or due to feedback effects in a large production system [21]. When the distribution of run-time samples deviates too far from the original training distribution, a data diff tool can provide an interpretable summary of what has changed. Although many statistical tests have been developed to detect differences in distributions, the data diff problem is unique in that it aims at a “diff”, a compact, interpretable summary of the difference. Data diff aims beyond detecting differences in distributions, to providing information to help analysts understand and respond to those differences.

2 MOTIVATION

This is a relatively new research area with little prior literature, so we first present examples to motivate the need for such a capability. In our experience, on real projects that span multiple years, we have never found that a complex data set can be generated a year or two later that has the exact same structure, coding and statistics as prior samples. Modern data sets are so complex, and are collected from so many different sources, that it is very difficult to create a new sample of data that is exactly like prior samples. For example, a few years ago we trained a model to predict 30-day readmission using hospital data collected from 2011-2013. There were about 100,000 patient records per year and 4,000 features per patient. Because there is seasonality in the data and some patients occur multiple times in the records, we used data from 2011 as training data, 2012 as validation data, and 2013 as test data. The model performed well and was released at the hospital in 2014.

In 2015, we decided to update the model using a new table of 100,000 records and 4,000 columns collected in 2014, in order to double the size of the training set. Before training a new model, however, we ran a primitive data diff tool on the new sample of data from 2014 to compare it to the previous three years’ data, which had all been prepared a year earlier. The new data looked good, except that the statistics for columns 562–568 looked different in the new table compared to the preceding three years. The hospital reviewed the SQL scripts used to prepare the new data and found a subtle bug that explained the differences in these columns. These differences would have silently reduced the accuracy of the new model, requiring time consuming debugging, if they had not been detected by the primitive data diff tool.

To highlight some of the “mundane complexity” that arises in “living, breathing” data sets, here are quotes from email exchanges for projects in our recent experience. We label each quote with the type of wrangling issue that it describes:

- **Changes in units of measure**: “... Just want to verify format. Before we had a separate file with age in two columns. I think one was for age in years, and the other was age in days? Looks like you added these two columns for age at the end of the new files as new cols 3996 and 3997, right?”
- **Missing columns**: “... The matrix you uploaded has 3755 columns (not including the ID column), but the data we’ve been using has 3982 columns. Are we missing 227 columns in the new data? Or maybe I’m doing something wrong at my end?”
- **Changes to distribution within a column**: “... The model wasn’t working so I spent some time debugging. Looks like we suddenly have 323 columns with only one unique value in each of them. Most are -1’s, but a few are all 0’s. Any idea how long ago that happened?”
- **New data violates integrity conditions**: “... I sorted that ages from highest to lowest. In the new data we have 2000 people over 100, and 1400 over 120. That doesn’t sound right. The ages are all integers. Maybe months are getting mixed with years?”
- **Anomalies in new data**: “... Looks like there’s a problem with column 41: it has ROC = 0.56, but all other columns have ROC above 0.75. Looks like there are many cases with predicted values of 0.0000 in column 41. Any idea what went wrong with that column?”
- **Changes in column order**: “... Got the new matrix. I think I should reorder the columns to put them back into the order we originally used. Where should the last two columns go? If we use col 0 to refer to the targets, so now col 1 is the 1st column of predictions and cols 199 and 200 are the two new columns, then I think the new cols should move between the predictions in column 158.
and 159, creating new columns 159 and 160. Have I got that right? And the new columns are in the correct order for scaling?*

Although our current data diff tool would not have resolved all of these problems, it would have detected them, often providing specific enough information to make identifying the true problem much easier. The most important stage in data debugging is to know you have a problem in the first place.

### 3 PROBLEM STATEMENT

Data diff is the general problem of providing a concise, interpretable summary of the differences between two data sets. We call this summary a patch, by analogy to the Unix diff utility. By reading the patch, an analyst can quickly understand the differences in format and distribution between the data sets. The analyst can then investigate whether the differences in the patch are expected, whether they reflect interesting changes in the population, or whether they reflect data quality issues, and act accordingly.

For text files, the Unix patch command applies a patch to transform a text file. In data diff, patches can have two potential purposes: to inform or to transform. In some cases—just as in Unix—the data diff patches are executable, and can transform the new data to be compatible with the older data. For example, suppose the new data set introduces additional columns; the patch would simply remove these. In other cases, such as if a column has radically changed distribution, there is no sensible way to transform the new data to be backwards compatible. Then the patch serves the purpose of informing the analyst of the change across the data sets.

To formalize the data diff problem, it is easiest to take the transformation viewpoint, even though the patches will in the end be used for both purposes. Specifically, given two data tables \( D_1 \) and \( D_2 \), the formal data diff problem is to identify a patch \( \Pi \), which is simply a function on data sets, so that \( D_1 \) and \( \Pi(D_2) \) are encoded in the same format and drawn from the same distribution. Note that we do not assume that the data in \( D_1 \) and \( D_2 \) are paired in any way, or that they have the same number of rows or columns. For example, \( D_1 \) and \( D_2 \) might be two data sets of different size that are drawn from the same distribution, except that \( D_2 \) contains a new column that does not appear in \( D_1 \), and that column \( 73 \) in data set \( D_2 \) is measured in Celsius instead of Fahrenheit as in \( D_1 \). Then executing \( \Pi(D_2) \) will remove the additional column and linearly transform column \( 73 \) appropriately.

Clearly, the set of allowable patches must be restricted, or \( \Pi \) may simply remove all rows from \( D_1 \) and insert all rows from \( D_2 \). Instead, the set of allowable transformations is restricted to those that can be described by an expression defined in a transformation language. The transformation language is designed both to describe typical ways that sequences of data samples tend to diverge over time, and also to be easily read by an analyst. Ideally, the transformations should be specific, so that they do more than simply detect a change, but also explain what type of change occurred. It is easy to imagine a broad variety of transformations which would be important to detect, such as changes in numbers of columns and column order; changes in number, date, and time format; changes in currencies and units of measure; changes in the marginal distribution of columns; changes in statistical dependences between columns; and so on.

The idea of using a transformation language is inspired by previous work in data wrangling [9, 16], but for our purposes, the language must be designed specifically for the data diff problem.

Because detecting changes in distributions is a fundamental problem, a wide variety of methods have been proposed in the statistics literature, depending on whether the expected change is abrupt or gradual, and whether we know when the change might have taken place. These methods include two-sample tests, change-point methods, and sequential analysis [3, 4, 8, 11, 22, 24]. Data diff is different from all of these, because it is about how to proceed further when the two data sets were not drawn from the same distribution, but this discrepancy is due to issues that can be described by a compact, interpretable transformation, such as differences in data formats, units of measure, coding of missing values, and so on. Essentially, the difference is that data diff aims to produce a diff.

### 4 THE DATA DIFF SYSTEM

In this section, we describe a prototype of a system for tackling the data diff problem. Although the framework could be applied to a broad variety of settings, including unstructured and semistructured data, complex string transformations, and so on, we present an initial data diff implementation that focuses on a simple set of column transformations that we have observed repeatedly in our practical experience (Section 4.1). We measure the quality of a proposed patch by a nonparametric measure of distance between distributions, which we formalize as a linear assignment problem (Section 4.2). The objective function contains a penalty term to encourage the method to return simpler patches. The weights for this penalty are selected using a bootstrap procedure to match a false positive rate given by the analyst (Section 4.3).

#### 4.1 Transformation Language

The transformation language \( L \) defines the set of patches that we consider in our system. There is a large potential design space here. In our prototype, we use a fairly simple transformation language, chosen specifically by reflecting on our own experiences, which we described in Section 2.

To set notation, a patch \( \Pi(D) \) is a function that maps data tables to data tables. We assume that the input data \( D \) is a table with columns \( X = \{A_1, \ldots, A_M\} \). Each row in \( D \) is a tuple \( t_i = (A_1(t_i), \ldots, A_M(t_i)) \) for \( i \in \{1 \ldots N\} \). We use the notation \( D[i] \) to refer to a single column, or occasionally, for a index set \( I \subseteq \{1 \ldots N\} \), we use \( D[I] \) to denote the appropriate projection of \( D \). Each attribute \( A_j \) has a domain \( X_j \), which for this paper we take to be either real-valued or a finite set, so each tuple \( t_i \) is a member of the set \( X = X_1 \times \ldots \times X_M \). A patch \( \Pi \) is a function that transforms one table to another, but importantly, a patch can change the schema of \( D \), e.g., by transposing columns, or converting a column from one type to another.

If we denote a table \( D = (A, t_1, N) \), then a patch defines a transformation \( \Pi : (A, t_1 \ldots t_N) \mapsto (A', \pi(t_1) \ldots \pi(t_N)) \), where \( \pi : X \mapsto X' \) acts on individual tuples. In other words, patches can add or remove attributes and can perform arbitrary transformations on one tuple at a time. Most patches have parameters \( a_0 \ldots a_j \) beyond the data table \( D \), for example, which column to delete. To handle this in our notation, we will define a class of patches via a
generator function \( fn(a_0 \ldots a_f) \), which is a higher-order function that returns a patch \( P \) that can be applied to a specific data table.

We begin by defining classes of elementary patches:

- **Permuted column** patches have the form \( \text{permute}(\ell) \), where \( \ell \) is a permutation of \( \{1 \ldots M\} \). This patch has the effect of permuting the columns of the data set.
- **Insert column** patches have the form \( \text{insert}(i, C) \), where \( i \) is an integer in \( \{0 \ldots M\} \). This patch inserts the column \( C \) into \( D \) just after the column with index \( i \), where we take \( \text{insert}(0, C) \) to mean that the new column should be inserted as the first column.
- **Delete column** patches have the form \( \text{delete}(i) \), and removes the column \( A_i \).
- **Replace column** patches have the form \( \text{replace}(i, C) \), where \( i \) is an integer in \( \{1 \ldots M\} \), and replace the current cells in column \( D[i] \) with the values in \( C \). This patch is useful where we can detect that the distribution of a column has changed, e.g. with a standard two-sample test, but the library contains no transformation that will repair this discrepancy.
- **Recode column** patches modify the values of a categorical column. The patch \( \text{recode}(i, \{(v_1, \hat{v}_1), \ldots, (v_n, \hat{v}_n)\}) \) can be applied whenever column \( i \) is categorical, i.e. \( n \approx |X_i| \) is finite. The meta-parameter is a set of pairs \( (v, \hat{v}) \in X_i \times \hat{X}_i \) in which every \( v \) in \( X_i \) is represented and the \( \hat{v} \) are unique (so \( |X_i| \leq |\hat{X}_i| \)). The effect is to replace value \( v \), whenever it appears in column \( i \), with value \( \hat{v} \). One particularly important use of this is for missing data, which is often coded by special values, such as "NA", -1, 0, 999, which are easy to inadvertently change across data samples. This has been a common source of discrepancies in our experience, and others report this as well [18].
- **Linear transform** patches have the form \( \text{linear}(i, a, b) \) and can be applied when \( A_i \) is a real-valued attribute. The effect is to multiply every cell in the column by \( a \) and add \( b \). This transformation is especially useful for detecting inadvertent changes in units of measure.
- **The identity patch** \( \text{id} \) makes no change to the data set. Finally, we introduce composite patches \( \text{compose}((\Pi_1 \ldots \Pi_K)) \), whose effect is to return the function composition \( \Pi = \Pi_1 \circ \cdots \circ \Pi_K \) of the given sequence of patches \( \Pi_1 \ldots \Pi_K \). A univariate patch is one that affects only a single column. So all of the elementary patch types are univariate, except for permute, and any composition of univariate patches over the same column is also univariate.

### 4.2 Optimizing over Patches

The main algorithmic challenge of data diff is the search through the space of possible patches. In this section we describe the objective function that \texttt{datadiff} uses to rank possible patches, and the optimization algorithm that it uses to minimize this objective.

#### 4.2.1 Objective Function

We wish to return a patch \( P \) so that \( \Pi(D_2) \) and \( D_1 \) appear to have been sampled independently from the same distribution. This notion can be formalized by the optimization problem

\[
\min_{\Pi} \mathcal{D}(D_1, \Pi(D_2)) + \Omega(\Pi),
\]

where \( \mathcal{D}(\cdot) \) is a distance measure between data sets and \( \Omega(\cdot) \) is a penalty function to discourage patches that are too complex. For the distance measure \( \mathcal{D}(\cdot) \), we sum, over all columns, a column-wise distance measure that depends on the attribute type. For real-valued columns \( C_1 \) and \( C_2 \), we use the Kolmogorov-Smirnov (KS) statistic

\[
\text{KS}(C_1, C_2) = \max_x |F_1(x) - F_2(x)|,
\]

where \( F_1 \) and \( F_2 \) are the empirical cumulative distribution functions of \( C_1 \) and \( C_2 \), respectively. We choose the KS distance because of its simplicity, but one could consider a large number of possible measures, such as Euclidean distances between vectors of moments or maximum mean discrepancy (MMD) [8].

For categorical columns we use the total variation (TV) statistic:

\[
\text{TV}(C_1, C_2) = \sum_x |D_1(x) - D_2(x)|,
\]

where now \( D_1 \) and \( D_2 \) are the empirical discrete distribution functions (not the cumulative distribution functions). When the two columns \( C_1 \) and \( C_2 \) are of different types we arbitrarily assign a distance of 1.

Putting these definitions together, we can define a column-wise distance measure:

\[
\mathcal{D}_c(C_1, C_2) =\begin{cases} 
\text{KS}(C_1, C_2) & \text{if both } C_1 \text{ and } C_2 \text{ continuous,} \\
\text{TV}(C_1, C_2) & \text{if both } C_1 \text{ and } C_2 \text{ discrete,} \\
1 & \text{otherwise.}
\end{cases}
\]

Then our distance measure \( \mathcal{D}(\cdot) \) over data sets becomes

\[
\mathcal{D}(D_1, D_2) = \sum_{i=1}^M \mathcal{D}_c(D_1[i], D_2[i]).
\]

If \( D_1 \) and \( D_2 \) do not have the same number of columns, then we take \( \mathcal{D}(D_1, D_2) \) to be \( \infty \).

The penalty \( \Omega(\Pi) \) is necessary because patches can overfit. For example, suppose \( D_1 \) and \( D_2 \) are both generated from standard multivariate Gaussians. Without the penalty, the optimal diff is likely to multiply every column of \( D_2 \) by a small constant so that the column means of \( \Pi(D_2) \) are exactly those of \( D_1 \). The penalty discourages this behaviour. We find that a simple choice for \( \Omega(\Pi) \) is effective, basically the number of elementary patches in \( \Pi \), weighted by patch type. More formally, for each type \( t \) of elementary patch in the language, we introduce as a parameter a nonnegative weight \( \lambda[t] \). We define \( \text{type}(\Pi) \) to be the type of an elementary patch, and \( \mathcal{P}(\Pi) \) to be the set of elementary patches contained in a given patch \( \Pi \). Then we can define

\[
\Omega(\Pi) = \sum_{\Pi_i \in \mathcal{P}(\Pi)} \lambda[\text{type}(\Pi_i)].
\]

#### 4.2.2 Optimization Algorithm

The problem (1) is a difficult combinatorial optimization problem, and strategies for solving it may well depend on specific features of the transformation language \( L \). In \texttt{datadiff} we notice that, except for \texttt{permute}, all of the elementary patch types are univariate patches. Therefore our optimization algorithm will first compute the best univariate patch over pairs of columns from \( D_1 \) and \( D_2 \), and then optimize over possible permutations of the columns.

This is described in Algorithm 1. First, for all pairs of columns \( i \) from \( D_1 \) and \( j \) from \( D_2 \) (lines 3–6), we compute the optimal patch assuming that a permutation patch has already aligned columns \( D_1[i] \) and \( D_2[j] \). The function \texttt{BestUnivariatePatch} optimizes the
Algorithm 1  Main datadiff algorithm

1: procedure DATADIFF(D1, D2, λ)
2:   ▷ Optimize over univariate patches
3:    for i ∈ 1 . . . M1 do
4:       for j ∈ 1 . . . M2 do
5:          Πij ← BESTUNIVARIPATCH(D1[i], D2[j])
6:          Cij ← D(D1, Πij(D2)) + Ω(Πij)
7:    ▷ Optimize over permute patches
8:    Σ ← MinBipartiteMatching(C)
9:    ▷ Construct the patch to be returned
10:   ℓ ← ()
11:   Append permute(Σ) to ℓ unless Σ is identity
12:   for (i, j) ∈ Σ do
13:      Append Πij to ℓ unless type(Πij) = identity
14:   for i ∈ 1 . . . M1 do
15:      if (i, ∅) ∈ Σ then
16:         Append insert(i, D1[i]) to ℓ
17:   for j ∈ 1 . . . M2 do
18:      if (∅, j) ∈ Σ then
19:         Append delete(j) to ℓ
20: return compose(ℓ)

univariate datadiff problem, i.e., it optimizes (1) for the pair of data sets (D1[i], D2[j]). We describe the details of this function in a moment. Now that we have constructed the cost matrix C, finding the optimal permute patch according to (1) corresponds to a minimum weight assignment problem, i.e., a complete bipartite matching, which we solve in line 8. We can represent the returned matching as the set of pairs of columns that are aligned. Our implementation uses the Hungarian algorithm, and we use an implementation which produces matchings that are complete in the sense that they contain as many edges as possible. However, if C is not square, i.e., if D1 and D2 have different numbers of columns, then some columns will be unmatched in one of the data sets. The returned matching uses a special token ∅ to indicate unmatched columns, i.e. (i, ∅) indicates that column i in D1 was unmatched, etc.

Finally, in lines 10–20, we construct the patch to be returned. First we construct the permute patch corresponding to Σ, and then for each pair of columns that are aligned between the two data sets, we include the univariate patch that best matches those two columns. This has been previously computed from the calls to BESTUNIVARIPATCH. Columns that were unmatched in Σ have insert or delete patches added as appropriate.

Now we describe the optimization over univariate patches. The function BESTUNIVARIPATCH takes two columns C1 and C2 as input, and returns a patch Π12 that minimizes (1) for those two columns in isolation. The only three patch types that this function needs to handle are recode, linear and identity, as other patch types are handled by the main datadiff algorithm. We can assume that the optimal patch within this class is elementary, because recode and linear are mutually exclusive, and there is no need to compose a patch with the identity patch. So the BESTUNIVARIPATCH optimizes (1) in turn for the best recode and linear patches, then computes the objective for the identity patch, and finally returns the minimum of the three. There is one additional case to be handled, that in which columns C1 and C2 have different types, one being real-valued and the other categorical. The return value in that case is a replace patch, representing an irreconcilable difference, with an associated penalty chosen large enough to reflect that this outcome is a last resort.

To finish the description of BESTUNIVARIPATCH, we need to describe how to optimize over the parameters of recode and linear patches. First, for linear patches, the optimization problem is only two-dimensional, so we simply minimize (1) with respect to the parameters of the linear function using a bisection method. For recode patches, we observe that the mapping between old values and new values can be expressed as a bipartite matching, so we again use the Hungarian algorithm to find the best parameters.

4.2.3 Correctness. We can formalize how this algorithm optimizes (1). First, we define a canonical form over patches Π(D), where D has M columns. A patch in canonical form is a composite patch Π = (Πo, Π1, . . ., ΠM), where Πo is a patch of type permute, and each of the patches Πm for m ∈ 1 . . . M is a univariate elementary patch whose first argument is column index m. Two patches Π1 and Π2 are semantically equivalent if they define the same function over data sets, that is, Π1(D) = Π2(D) for all D. Then we have (proof in online supplementary material):

**Proposition 4.1.** For every patch Π, there exists a semantically equivalent patch Π∗ in canonical form.

The patch language L is ambiguous because of the presence of insert, delete, and replace. To resolve this ambiguity, we make the assumption (A1) that patches returned from DATADIFF do not include insert, delete, and replace unless they are necessary to produce a patch with finite cost. That is, if M1 < M2, then DATADIFF (D1, D2) contains exactly M2 − M1 insert patches, and so on. This corresponds to setting a very large penalty λ[insert], etc., so as to overwhelm the effect of D, (). Let P(M1, M2) be the set of patches that satisfy this assumption. Then we can show that

**Proposition 4.2.** Algorithm 1 returns the canonical patch Π∗ that minimizes D() under assumption (A1), that is,

\[ \Pi^* = \argmin_{\Pi \in P(M_1, M_2)} D(D_1, \Pi(D_2)) + \Omega(\Pi). \]

**Proof.** Let d∗ denote the optimizing value of (7), and U(i) denote the set of all elementary univariate patches Πi for which column D2[i] is a valid argument.

First suppose that M1 = M2 = M. Then optimizing over patches in canonical form yields

\[ d^* = \sum_{\sigma} \min_{m=1}^{M} \min_{\Pi_m \in U(m)} D_\sigma \left( D_1[\sigma^{-1}(m)], \Pi_m(D2[m]) \right) + \Omega(\text{type}(\Pi_m)), \]

where σ ranges over all permutations over {1 . . . M}. By definition, the function BESTUNIVARIPATCH computes the inner minimization, i.e., after line 6, for all i, j ∈ {1 . . . M}, we have

\[ C_{ij} = \min_{\Pi \in U(i)} D_\sigma \left( D_1[i], \Pi(D2[j]) \right) + \Omega(\text{type}(\Pi)). \]

Then line 8 computes the minimization Σ = argminσ Cσ(ij). This completes the proof for M1 = M2. If M1 ̸= M2, then first suppose

univariate patch. So the method to be handled, that in which columns C1 and C2 have different types, one being real-valued and the other categorical. The return value in that case is a replace patch, representing an irreconcilable difference, with an associated penalty chosen large enough to reflect that this outcome is a last resort.

To finish the description of BESTUNIVARIPATCH, we need to describe how to optimize over the parameters of recode and linear patches. First, for linear patches, the optimization problem is only two-dimensional, so we simply minimize (1) with respect to the parameters of the linear function using a bisection method. For recode patches, we observe that the mapping between old values and new values can be expressed as a bipartite matching, so we again use the Hungarian algorithm to find the best parameters.

**4.2.3 Correctness.** We can formalize how this algorithm optimizes (1). First, we define a canonical form over patches Π(D), where D has M columns. A patch in canonical form is a composite patch Π = (Π0, Π1, . . ., ΠM), where Π0 is a patch of type permute, and each of the patches Πm for m ∈ 1 . . . M is a univariate elementary patch whose first argument is column index m. Two patches Π1 and Π2 are semantically equivalent if they define the same function over data sets, that is, Π1(D) = Π2(D) for all D. Then we have (proof in online supplementary material):

**Proposition 4.1.** For every patch Π, there exists a semantically equivalent patch Π∗ in canonical form.

The patch language L is ambiguous because of the presence of insert, delete, and replace. To resolve this ambiguity, we make the assumption (A1) that patches returned from DATADIFF do not include insert, delete, and replace unless they are necessary to produce a patch with finite cost. That is, if M1 < M2, then DATADIFF (D1, D2) contains exactly M2 − M1 insert patches, and so on. This corresponds to setting a very large penalty λ[insert], etc., so as to overwhelm the effect of D, (). Let P(M1, M2) be the set of patches that satisfy this assumption. Then we can show that

**Proposition 4.2.** Algorithm 1 returns the canonical patch Π∗ that minimizes D() under assumption (A1), that is,

\[ \Pi^* = \argmin_{\Pi \in P(M_1, M_2)} D(D_1, \Pi(D_2)) + \Omega(\Pi). \]

**Proof.** Let d∗ denote the optimizing value of (7), and U(i) denote the set of all elementary univariate patches Πi for which column D2[i] is a valid argument.

First suppose that M1 = M2 = M. Then optimizing over patches in canonical form yields

\[ d^* = \sum_{\sigma} \min_{m=1}^{M} \min_{\Pi_m \in U(m)} D_\sigma \left( D_1[\sigma^{-1}(m)], \Pi_m(D2[m]) \right) + \Omega(\text{type}(\Pi_m)), \]

where σ ranges over all permutations over {1 . . . M}. By definition, the function BESTUNIVARIPATCH computes the inner minimization, i.e., after line 6, for all i, j ∈ {1 . . . M}, we have

\[ C_{ij} = \min_{\Pi \in U(i)} D_\sigma \left( D_1[i], \Pi(D2[j]) \right) + \Omega(\text{type}(\Pi)). \]

Then line 8 computes the minimization Σ = argminσ Cσ(ij). This completes the proof for M1 = M2. If M1 ̸= M2, then first suppose
Within the data diff procedure, for example, increasing the penalty when a simpler one would be almost as good. It is for this reason that we use the regularised formulation of (1) instead.

Instead, we select the penalty weights using a slightly different, but related criterion. For each elementary patch type $t$ (except for identity), we aim to set the penalties so that under the null hypothesis that $D_1$ and $D_2$ are drawn from the same distribution, we return a non-identity patch with probability at most $\alpha$. An obvious, but not entirely helpful, attempt to meet this goal is to perform a standard two sample test at the beginning of the datadiff algorithm, and return an identity patch if the test fails to reject the null hypothesis of equality of distributions. This proposal is not fully helpful because, although it would prevent us from incorrectly returning a diff when $D_1$ and $D_2$ are entirely similar, it does not prevent the system from returning a complicated diff when a simpler one would be almost as good. It is for this reason that we use the regularised formulation of (1) instead.

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### 4.3 Calibrating Patch Complexity

The complexity of the returned patches is controlled by the penalty weights on each patch type. The best choice of weights may well depend on the number of rows, whether $D_1$ contains many columns with similar distributions, and so on. In this section we propose a simple and generic procedure for choosing the penalty weights.

In an analogy to hypothesis testing, we allow the analyst to choose a false positive rate (FPR) $\alpha$, and we aim to set the penalty weights such that if $D_1$ and $D_2$ are drawn from the same distribution, we return a non-identity patch with probability at most $\alpha$. An obvious, but not entirely helpful, attempt to meet this goal is to perform a standard two sample test at the beginning of the datadiff algorithm, and return an identity patch if the test fails to reject the null hypothesis of equality of distributions. This proposal is not fully helpful because, although it would prevent us from incorrectly returning a diff when $D_1$ and $D_2$ are entirely similar, it does not prevent the system from returning a complicated diff when a simpler one would be almost as good. It is for this reason that we use the regularised formulation of (1) instead.

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### 5 EVALUATION

Evaluating a data diff system is complicated by the fact that one of its main goals is to inform human analysts. Our final goal is to reduce the amount of analysts’ time required to carry out the end-to-end analysis task, as well as the quality of the final analysis, but this can be difficult to measure, possibly requiring an extensive study with human analysts. Instead, as a more preliminary evaluation, performance of the datadiff system was evaluated through a series of experiments involving synthetically corrupted data, for which we can measure whether datadiff recovers the true corruption. Nine of the most popular data sets from the UCI machine learning repository [19] were used for this purpose. Each experiment involved generating a corruption patch (either elementary or composite), of a given type, by selecting its parameters at random. For instance, in the case of 1linear patches, the shift parameter $b$ was selected by sampling from a $U[-2,2]$ distribution and multiplying by the standard deviation of the (randomly-selected, numerical) attribute. The corruption was applied to one half of a random partition of the data, before running datadiff on the other half. The experiments were repeated $R = 100$ times, with ten different randomly-chosen corruptions of each corruption type, and ten different random splits of the data for each sampled corruption.

We define a collection of metrics to quantify the fidelity of the datadiff output. The first two, precision $p_t$ and recall $r_t$, are parameterised by patch type $t$, and measure the algorithm’s performance at selecting transformations of the correct type. For each repetition $i$, let $\Pi_i^t$ be the patch that represents the true corruption of the data, and $\Pi_i$ be the corresponding output of datadiff. As before, we define $\text{type}(\Pi)$ for the set of elementary types in patch $\Pi$. Then precision and recall are defined as

$$p_t = \frac{\sum_{i=1}^{R} \delta(t \in \text{type}(\Pi_i^t)) \text{ and } t \in \text{type}(\Pi_i))}{\sum_{i=1}^{R} \delta(t \in \text{type}(\Pi_i))}$$

$$r_t = \frac{\sum_{i=1}^{R} \delta(t \in \text{type}(\Pi_i^t)) \text{ and } t \in \text{type}(\Pi_i))}{\sum_{i=1}^{R} \delta(t \in \text{type}(\Pi_i^t))}$$

where the function $\delta(\cdot)$ is 1 if the given condition is true, and 0 otherwise. Precision measures how often datadiff is correct when it reports that a particular patch type is present, and recall measures how often a patch of type $t$ is detected when it is in fact present.

The remaining three metrics measure the accuracy of datadiff in identifying the parameters of the corruption, in cases where the type is correctly identified. For univariate patch types, we define the column accuracy to be the frequency with which, when an elementary patch of the correct type appears in the result, the column index is also correct. For patch types with real-valued parameters (currently only 1linear), we report the root-mean-square error (RMSE) over the parameter values. For recode patches, we report parameter accuracy, which counts the frequency with which the set of recoding pairs in the result is identical to that in the corruption. This is a strict, exact match measure of the percentage of cases in which the entire matching between categorical values is correct, and does not give any credit to partially correct matches. Finally, if the corruption and result contain elementary patches $\text{permute}(\ell^*)$ and $\text{permute}(\ell)$, then we measure parameter accuracy as the Hamming distance between $\ell^*$ and $\ell$ expressed as a sequence of integers.

For all of the experiments in this section, the penalty weights were chosen by the calibration procedure described in Section 4.3. The calibration procedure was run once to achieve a target partial FPR $\alpha = 0.05$ on average across the nine data sets. (This is designed

\[ M_1 < M_2. \] Optimizing (1) over canonical patches that satisfy (A1) is equivalent to optimizing

$$\min_{I \subseteq \{1, \ldots, M_1 \}, |I| = M_2} d^*(D_1, D_2[I]),$$

where $d^*$ is defined as in (8). This step follows because all patches in $P(M_1, M_2)$ contain exactly $M_2 - M_1$ delete patches, so the penalty for those patches can be ignored in the optimization. Now line 8 again optimizes (10) over $I$, as after this line, we have $I = \{j \mid (\emptyset, j) \in \Sigma \}$. Finally, the proof for $M_2 < M_1$ is similar. □
We present a case study to illustrate how the output of datadiff which is close to the target value.

### Table 2: Performance of datadiff at recognizing known corruptions, on single univariate corruptions.

<table>
<thead>
<tr>
<th>Patch Type</th>
<th>Type</th>
<th>Precision</th>
<th>Type</th>
<th>Recall</th>
<th>Column accuracy</th>
<th>Parameter</th>
<th>RMSE</th>
<th>Parameter accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>Linear</td>
<td>0.787</td>
<td>0.885</td>
<td>0.888</td>
<td>1.550</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Recode</td>
<td>0.862</td>
<td>0.977</td>
<td>0.935</td>
<td>—</td>
<td>0.314</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Insert</td>
<td>1.000</td>
<td>0.989</td>
<td>0.964</td>
<td>—</td>
<td>—</td>
<td>—</td>
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</tr>
<tr>
<td>Delete</td>
<td>1.000</td>
<td>0.980</td>
<td>0.937</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

### Table 1: Performance of datadiff at recognizing known corruptions, on single univariate corruptions.

<table>
<thead>
<tr>
<th>Patch Type</th>
<th>Type</th>
<th>Precision</th>
<th>Type</th>
<th>Recall</th>
<th>Column accuracy</th>
<th>Parameter</th>
<th>RMSE</th>
<th>Parameter accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>Linear</td>
<td>0.703</td>
<td>0.757</td>
<td>0.856</td>
<td>2.143</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Recode</td>
<td>0.830</td>
<td>0.973</td>
<td>0.935</td>
<td>—</td>
<td>0.306</td>
<td>—</td>
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<tr>
<td>Insert</td>
<td>1.000</td>
<td>1.000</td>
<td>0.978</td>
<td>—</td>
<td>—</td>
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<td>—</td>
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<tr>
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<td>1.000</td>
<td>0.954</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Permute</td>
<td>1.000</td>
<td>0.931</td>
<td>0.929</td>
<td>—</td>
<td>0.395</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

Table 2: Performance of datadiff at recognizing known corruptions, on single univariate corruptions.

Table 3: Performance of datadiff, when the true corruption contains both a column transposition and a univariate corruption.

<table>
<thead>
<tr>
<th>Patch Type</th>
<th>Type</th>
<th>Precision</th>
<th>Type</th>
<th>Recall</th>
<th>Column accuracy</th>
<th>Parameter</th>
<th>RMSE</th>
<th>Parameter accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>Linear</td>
<td>0.941</td>
<td>0.938</td>
<td>0.725</td>
<td>1.559</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Recode</td>
<td>0.964</td>
<td>0.975</td>
<td>0.924</td>
<td>—</td>
<td>0.289</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Insert</td>
<td>1.000</td>
<td>1.000</td>
<td>0.709</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Delete</td>
<td>1.000</td>
<td>1.000</td>
<td>0.795</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Permute</td>
<td>1.000</td>
<td>0.944</td>
<td>0.877</td>
<td>—</td>
<td>0.717</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

Table 4: Performance of datadiff, when the true corruption contains two univariate corruptions and a column transposition.

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<table>
<thead>
<tr>
<th>Patch Type</th>
<th>Type</th>
<th>Precision</th>
<th>Type</th>
<th>Recall</th>
<th>Column accuracy</th>
<th>Parameter</th>
<th>RMSE</th>
<th>Parameter accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>Linear</td>
<td>0.940</td>
<td>0.801</td>
<td>0.724</td>
<td>2.373</td>
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<td>—</td>
</tr>
<tr>
<td>Recode</td>
<td>0.972</td>
<td>0.976</td>
<td>0.907</td>
<td>—</td>
<td>0.315</td>
<td>—</td>
<td>—</td>
<td>—</td>
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<tr>
<td>Insert</td>
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<td>1.000</td>
<td>0.789</td>
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<td>—</td>
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<tr>
<td>Delete</td>
<td>1.000</td>
<td>1.000</td>
<td>0.877</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Permute</td>
<td>1.000</td>
<td>0.944</td>
<td>—</td>
<td>—</td>
<td>0.717</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

### Table 3: Performance of datadiff, when the true corruption contains two univariate corruptions.

### Table 2: Performance of datadiff, when the true corruption contains both a column transposition and a univariate corruption.

### Table 1: Performance of datadiff at recognizing known corruptions, on single univariate corruptions.

to reflect a situation in which the analyst calibrates datadiff on $D_t$ just before running it.) The resulting penalty weights were then used for datadiff for all $R$ repetitions of the experiments.

The synthetic experiments were divided into four groups according to the complexity of the corruption. Each of the corruptions in the first group was an elementary, univariate patch (Table 1). In the second group a column transposition was added (Table 2). The third group consisted of corruptions composed of two univariate patches (Table 3), and the fourth added to this a column transposition (Table 4). In general, we see that the precision, recall, and accuracy at identifying columns are over 85% and often over 90%, even for the more complex cases in 4 where there are multiple univariate corruptions and a permutation. The only exception is that the Linear patches have lower precision, e.g., as low as 0.70 in 2. This is to be expected because our generating procedure can sometimes sample true corruptions with very small magnitude, e.g. multiplying a column by 1.01.

**False positive rate.** In the above experiments, there was always some true corruption to find in the pair of data sets. Now we evaluate the total false positive rate (tFPR), which is how often datadiff returns a non-identity patch when the two data sets are in fact identically distributed. Note that this is not exactly the same as the FPR measure used in the calibration procedure, as the calibration FPR is a partial match procedure for each patch type. We evaluate the tFPR of datadiff for the calibrated parameter values that were used in the previous set of experiments. For each of the nine UCI data sets, we sample $R = 100$ bootstrap samples of identically distributed pairs, and measure the false positive patches returned by datadiff. The median tFPR over the nine UCI data sets was 0.03, which is close to the target value.

### CASE STUDY

We present a case study to illustrate how the output of datadiff can be useful in real-world data analysis. The UK’s Office of Communications (Ofcom) publishes data annually on the performance of residential fixed-line broadband services$^4$. These data exhibit many of the transformation types handled by datadiff. For illustration, Figure 1 shows the first ten attributes from years 2013 to 2015. We see that new columns were introduced in each year, the original column order is not preserved, column names change over time, as do the encodings in certain categorical columns. In total, there are 29 attributes and 1450 rows in the 2013 data, 31 attributes and 1971 rows in 2014, and 36 attributes and 2802 rows in 2015.

Prior to running datadiff on the broadband data, appropriate patches to reconcile differences in adjacent years were identified manually. We call these target patches. We focus on adjacent years to make the patches easier to read. We choose the penalty weights $\lambda[t]$, for each patch type, to generate patches of small complexity when executed on the broadband data. A degree of preprocessing was done to manually strip stray characters from numeric data.

First, in Figure 2, we show the patches that transform the 2014 data set $D_4$ to the 2013 format, including both the manually-generated target patch and the result from datadiff. The first column in Figure 2 lists the elementary constituents of the true target patch. Two columns are deleted and the Technology column is recoded before being transposed with Headline speed. In fact the recoding is not a valid patch in our transformation language $L$, since both categories FTTC and FTTP are mapped onto the single FTTx category. The second column shows the result returned by datadiff. Every element of the target patch is represented in the result, and the meta-parameters are identified correctly in all cases except for the Recode patch which, as already noted, cannot be captured by the simplified patch language in the current prototype. The result additionally contains a pair of Linear patches, highlighting an important point: not all transformations are due to inconsistencies in the data format. The Linear patches do not represent changes in measurement unit, but are instead consequences of technological improvements over time (i.e. reduced packet loss) which affect the

$^4$https://data.gov.uk/dataset/uk-fixed-line-broadband-performance
We are not aware of related work specifically on the data diff problem, but related work would need to be deleted, such as datadiff. Also, the ming languages, and user interfaces literature on improved tools serve a red flag to the analyst that there are multiple data quality issues and provide some strong hints for addressing them.

Perhaps the closest related work is in the databases, program- ming languages, and user interfaces literature on improved tools for data wrangling. Data wrangling is the process of transforming raw data into a format that is suitable for data analysis, including tasks such as standardizing the format and data cleaning. In the research literature, data wrangling tools have been proposed for defining transformations on columns [9, 16] and for parsing data from unstructured sources [7, 10]. Additionally data warehouses provide extract-transform-load tools for data cleaning [2], including most of the transformations that we consider in our prototype. Other work considers interactive data wrangling and exploration [13, 20]. Another approach to addressing data quality issues is automatic data cleaning [1, 15], but we are unaware of previous work that considers the “two-sample cleaning problem” in the way that datadiff does. The specific problem of finding the best permute patch is sometimes called table matching; after completing this work, we learned that Gretton et al. [8] present a demonstration of the Hungarian algorithm for this problem. As discussed earlier, detecting changes in distributions has been a long-studied problem in statistics, including changes between two data samples [4, 8], changes at unknown points in time [3, 11, 22] and detecting gradual changes [22, 24]. Data diff goes beyond this work by providing an interpretable explanation to an analyst of precisely in what way the data samples differ. Finally, data diff is a problem in the general area of automating machine learning (AutoML) [12, 14, 23], which aims to build learning systems that handle all of the steps of machine learning, including preprocessing data, selecting models, and building and evaluating models, without human intervention.

### 8 CONCLUSIONS

We have introduced the data diff problem, which aims to help the common situation of data analyses over repeated data samples, e.g., every month, every quarter, and so on. Although repeated data samples require repeated data wrangling effort, the idea behind data diff

<table>
<thead>
<tr>
<th>ID</th>
<th>Distance band</th>
<th>Urban/rural</th>
<th>Market</th>
<th>ISP</th>
<th>Headline speed</th>
<th>Technology</th>
<th>Download speed (Mbit/s)</th>
<th>Download speed (Mbit/s)</th>
<th>Download speed (Mbit/s)</th>
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<td>56.677</td>
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<td>Urban</td>
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<td>ADSL2+</td>
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<td>5.726</td>
<td>5.399</td>
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<tr>
<td>1320</td>
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<td>Virgin</td>
<td>60</td>
<td>Cable</td>
<td>60.544</td>
<td>62.675</td>
<td>59.84</td>
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</table>

(a) 2013

<table>
<thead>
<tr>
<th>Id</th>
<th>Distance band</th>
<th>Distance used for weighting</th>
<th>Urban/rural</th>
<th>Market</th>
<th>ISP</th>
<th>Technology</th>
<th>LLU</th>
<th>Headline speed</th>
<th>Download speed (Mbit/s)</th>
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</thead>
<tbody>
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<td>2563-5000</td>
<td>0-385</td>
<td>Urban</td>
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<td>Virgin</td>
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(b) 2014

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(c) 2015

Figure 1: UK home broadband performance data samples
Data Diff: Interpretable, Executable Summaries of Changes in Distributions for Data Wrangling  

KDD’18, August 2018, London, UK

Figure 2: Target “gold standard” patch (left) and datadiff output (right) for broadband 2013/14

Figure 3: Target “gold standard” patch (left) and datadiff output (right) for broadband 2014/15

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REFERENCES


